1305i 145

Britain, has the satisfaction of annexing the following reakoners" at present so constantly employed. testimonials of well-known mathematicians

A NEW COMPUTING TABLE

(From the Liverpool Mercury of Friday, the 27th ult.)

American invention, entitled "Fuller's Computing arrangement of the figures; observe their position, that Scales, and Time Telegraph," which, for the multiplicity the two sets of figures are precisely alike, and one-third of calculations which it embodies, -the accuracy of the the space on the circle is found between the one and two, of calculations which it composition with which they are and that all the subsequent figures gradually approximate obtained .- and the neat and commodious form of the until, from 98 to 99, the space becomes very narrow; that table itself, deserves to stand amongst the first, if not this same approximation continues until from 995 to 1 or the very foremost, of all the calculating machines and 1000, the space is also very contracted. Although there ready reckoners of the day. It must, obviously, have are I000 divisions, no two of them are at the same been the result of many years study and intense appli- distance from each other. Each figure may be called cation. It will be found of the greatest practical utility according as the nature of the problem to be solved to merchants, shopkeepers, tradesmen, and mechanics, may require. For example—161 may be called \(\frac{1\text{\texi}\text{\text{\text{\text{\text{\text{\t instantaneously an almost endless variety of problems, would be seen at a glance. and to show that our estimate of its importance is not over-rated, and also to render some little service to observe the following rule:—Bring the two ones even science, we may quote the following certificate:---From the London Daily Times.

Extract from Prof. A. DE MORGAN'S recommendation " Having examined Mr. FULLER'S Circular Sliding Rule, I can certify that it is an excellent thing of the of twenty-six and nearly twenty-seven inches in length.

A rule can be learned in a minute or two: and a few hours of perseverance will make any one a tolerable Telegraphic Rule, by which Multiplication and Divi-

master of the instrument.

"The neglect of the sliding rule by computers is the neglect of a very great advantage. I always use one myself when I have several arithmetical processes to go through at one time; and I find it a great source of accuracy, and, of course, a great relief. To know that found on the stationary part) the gauge point, as will be one error cannot possibly amount to so much as a farthing in the pound by mechanical means, sets the feet square, required the number of yards. Place 12 on computer free to turn his greatest attention to the the moveable part at 9 on the stationary, then 12 on the smaller quantities.

success, and strongly recommend it.

"University College, Jan. 23, 1849."

" A. DE MORGAN

The annexed is from the Rev. Mr. HALL, Professor of Muthematics at King's College, Lond " JANUARY 30, 1849.

"I think the calculating table a very ingenious one, and might be useful to us. I will recommend you to order one for the College.

To Mr. Cunningham, Secretary." "T. G. HALL.

Extract from Rev. Mr. DIXON's recommendation. "Having carefully examined Mr. Palmer's computing scale, improved by Mr. Fuller, I have great pleasure in bearing my testimony to the accuracy of the graduations, and to the perfection with which it performs the operations of multiplication and division, either separately or simultaneously

I consider the invention to be founded on an uncrring principle, viz., that of registering the numbers according to their logarithmic values calculated on the cireumference of the eircle; and, consequently, from its unerring correctness, of the utmost importance, and the greatest possible use to all practical men.

Mr. Fuller's scale has also one great recommendation, that a few hours' study and application are sufficient for gaining a very fair knowledge of its use. might also be oceasionally used with advantage to impress the rules of arithmetic upon the minds of the value to the accountant, whether he work by the follow young, in which use it would form both an agreeable ing rule or not. It will be seen that the time to each exercise, and a good preparation for the rapid calculations of the counting-house.

REV. THOMAS DIXON, M. A.

"High School, Mechanics' Institution, October, 1848.

Having carefully tested Palmer's Computing Scale, as correctness in the particular which constitutes its great on the entire bill. The following example will illustrate value-its careful graduation. Formed on principles the principle, which may be extended to an indefinite which have the sanction of rigid demonstration, its number of items:worth as a machine for speedy and correct calculation, depends on the minute agreement of its several parts and combinations. In this respect it is quite equal to the best rectangular scales, whilst its form gives beauty and compactness to accuracy, and enables the operator to solve his question with ease. In all cases where

mitting it to the inspection of the people of Great cusure facility, and its use must supersede the "ready

REV. J. ENGLAND, M.A. Head Master, High Street, Liverpool."

To be remembered in using the Telegraph.

We have been much pleased with the inspection of an Let the 1 be placed at the right hand; examine the

The best method of finding any given number is to with each other. Should you require 135, look for 13, and between that and 14, you find it; if 695, look for 69, &c, after the same manner as you would look for some vol. in a set of books. A very short practice will enable one to find the number as quick as thought. Let kind. It represents a common sliding rule of upwards no one allow himself to be disconcerted in the outset, as a few moments thought will prove the simplicity of the arrangement.

sion is performed by a single operation.

If this rule be correctly understood, all the calculations in the rule of proportion become very simple, and may be performed as readily as the statements can be made. It consists in making the divisor (which is at all times seen by the following examples:—Suppose a room is 12 American law allows one passenger for every fourteen superficial feet of deck surface. A ship is 32 feet wide, and 165 feet long,—how many passengers may she carry? Set 32 at 14, and at 165 is 377. This produces the same result as if 165 be multiplied by 32, and that product be divided by 14.

To bring shillings & pence into pounds by one operation. RULE .- Place the shilling and decimal part of the same at 20, which acts as the divisor, and at the multiplicand

is the answer in pounds and decimal parts of the pound. EXAMPLE.—1s. 6d. per yard for 24 yards : place I and

 $\frac{5}{10}$ at 2, and at 24 is £I. 16s. or 1 $\frac{9}{10}$.

To bring pence into shillings.

RULE .- Set the pence and parts of pence at 12, which acts as divisor, and at the multiplicand is the answer in shillings and decimal parts of the same.

EXAMPLE. - Paid 3d. per yard for 72 yards: place 3

at 12, and at 72 is the answer 18s.

In 240 yards at 13d, per yard, how many shillings? Set 175 at 12, and at 24 is 35s., the answer.

To bring farthings into pence.

RULE.—As 4 farthings make 1d., set the farthings and parts of the same at 4: paid 3 farthings each for 16, and place 3 at 4, and at 16 is 12d. the answer.

Average of Accounts or Equations of Payments. The computing telegraph will be found invaluable in the above-named work. The time telegraph is of great entry on the book is obtained by a single setting of the

time to 365. EXAMPLE.—The following bill is on three months, and Late Fellow and Mathematical Lecturer of Jesus College, Cambridge, and Head Mathematical Master of the Liverpool Collegiate Schools.

Liverpool, 23rd October, 1848."

Liverpool, 23rd October, 1848."

is supposed to be settled, and the note given at the last date, November 17. It will be obvious that a portion of the time of credit is already expired, as the first time was Sentember 23 and the rest October 25. The is supposed to be settled, and the note given at the last item was September 23, and the next October 25. The simplest method of getting the average here is the same as that taught by many book-keepers, viz., to make up the interest account at the uniform rate per cent., and improved by Fuller, I can with confidence speak of its find how long that interest will pay the same per cent.

> 1.96

478 11 5....... 1.96 The above bill is £478. 11s. 5d., or a fraction over mere mechanical rapidity is required, it will be found £4781. The next question is, how long will £1 and \frac{9}{100}

The proprietor of the Computing Telegraph, in sub- of the greatest service. A few hours experience will pay 5 per cent. interest on this bill? The answer is length is the feet. found by placing the 478 at 73, and looking at the Required the surface measure of a stick 71 by 6, and amount of interest on the moveable line, the time will 19 long, this is 45 inches wide :be 30 days. Now set the 17th of November on the 19 is 71 feet. time table at 365, and by reference to the 30 on the back line is the 18th of Oct., the time to date the Set 15 at 2 or 20, and at 12 is 9s., and in like manner note, and, of course, it will become duc Jan. 18.

Feet in a mile, (English,) 5280, at three feet per step. Required, the steps taken in a mile. Set 3 at I, and at mile gauge point is 1760, the steps or yards in a mile. This is often useful as in the following

Average speed of B, and N. A. Steam Ships.

ships average about thirteen days in crossing the Atlantic, Set the 12 at 96, and by looking at 11, 88 is found; and which is about three thousand miles. Required the average feet per second. This requires several changes, but needs at 13 and at 1 is 231 per day. 231 per day, how many run from this 12 inches, running 96 turns per minute, per hour? Set 231 at 24, and at 1 is 9.62 miles per to obtain 128 turns per minute. Set the 12 at 128, and hour, or 9.62 for 60 minutes. How many minutes for 1 at 96 (the former point) is the diameter of the drum and if she run 5280 feet in $6\frac{1}{2}\frac{3}{6}$ minutes, then at I is product by 128. This rule will apply equally to all 847 feet for 60 seconds. Set this at 6 or 60, and at 1 other cases, as it performs multiplication and division is the answer 14 feet 2 inches per second.

mental training, a vast amount of pleasant amusement | Set 14 at 98, and at 11 is the answer, 77 turns will be gained, while the arithmetical rules are revived | Required the number of yards of cloth to the lb., the will be gained, while the arithmetical rules are revived and fixed indelibly in the mind. This has led many and fixed indelibly in the mind. This has led many package weighing 142 lb., and containing 815 yards.

persons, after using it for a season, to remark, that while Set 142 at 815, and at I (lb.) on the moveable part is

the found themselves essentially henofited by its west 52 the agreem N. H. All the season will be a season the season and the season are season as the they found themselves essentially benefited by its use in correcting mistakes, it afforded as pleasant recreation are yards, and those on the other are pounds, as 12 lbs. and amusement as any invention of the age.

Per-centage Rule for Calculating Dividends or any Insolvent Estate by Decimals.

A bankrupt or insolvent debtor has eash on hand £1100, and owes £7100, what per cent. can he pay, and how much will a demand of £8 receive?

RULE .- Place II on the movcable at 7I on the sta-

tionary, and at 1 on the stationary is $15\frac{s}{10}$.

N.B.—All the stationary lines are called demands, maller quantities.

"I think Mr. Fuller's instrument deserving of properties of the stationary part gives 16, the number of yards. If the All questions of per centage, whether it be whole number of yards. If the Salionary part gives 16, the number of yards. If the All questions of per centage, whether it be whole number of yards. If the Salionary part gives 16, the number of yards. If the All questions of per centage, whether it be whole number of yards. If the Salionary part gives 16, the number of yards. If the North gives 16, the number of yards in the number of yards. If the North gives 16, the number of yards in the number the sums be pounds, shillings, or pence, dollars or cents. Cubic Feet in Boxes.

The present custom for obtaining the precise measure ment is to multiply the inches and tenths of the inch in thickness by the height, and this product by the length, Telegraph it is done instantly; for example,—at each est at 64 is 18, and at 151 is 561, the relegraph it is done instantly; for example,—at each est at 56 is 18, the diameter required. Set the gauge 314 at 1, and is in thickness 161, in height 171, and in length 22, in release 16.6 at 1, and at 17.3 is 296. Set this 296 at be worth 178. 6d, for how many and at 20.0 is 200. feet $\frac{\gamma_{s,v}^2}{4\pi}$. This will apply equally to all the measure-generated by the fixed lines of numbers are pounds ments of cubical contents. Where feet and inches are of coal, and all the opposite lines are shillings and parts given it will only be necessary to observe the following rule, which is the decimal of one inch, the decimal of one penny, or the decimal for any number of 12ths.

1-12ths or 1 inch or 1d. is $8\frac{1}{3}$, 2-12ths or 2,, or 2d. is $16\frac{2}{3}$, 100ths. I00 " 3-12ths or 3 ,, or 3d. is $25_{1}^{1}_{10}$, 100 ,, 4-12ths or 4 ,, or 4d. is 331, 100 ,, ,, or 5d. is 41%, I00 ,, 5-12ths or 5 I00 ,, 6-12ths or 6 ,, or 6d. is 50, I00 ,, 7-12ths or 7 ,, or 7d. is 581, 8-12ths or 8 ,, or 8d. is $66\frac{2}{3}$, 100 ,, I00 ,, 9-12ths or 9 ,, or 9d. is 75, 10-12ths or 10 ,, or I0d. is 831, 100 ,, 100 ,, 11-12ths or 11 ,, or IId. is $91\frac{2}{3}$, 100 ,, 12-12ths or 12 ,, or 12d. is 100, 100 ,, A few moments' reflection will, with the assistance of

the telegraph, enable any person to calculate by feet and lecimal parts of the foot. Example :- A box measures 2 feet 1 inch in width, 2 feet 3 inches in breadth, and 2 feet 4 inches in length. 2 feet I inch or 2 feet 81 by 2 feet $\frac{25}{100}$, is 4.69; set this at 1, and at 2 feet 4 inches or 2 feet 1 or 1 feet.

By this rule, wood, timber, and all kinds of merchandise is also measured; and this method will test the accuracy of the former Amongst the thousands who have nurchased the above-

named work, a very large number use it to examine computations made in the ordinary manner. It is uni- given number of yards English is the French. versally admitted that the most perfect mathematicians find themselves sometimes in error in setting down the the English yard, or at 100 is 109. numbers, or in placing the fractions for addition.

To Measure Timber

A stick 131 by 15, and 32 feet long :- Set I5 at I,

Superficial Measure.

for all prices and quantities,

Rule for Manufacturers and Mechanics.

The speed of drums and pulleys is obtained in the following manner: -The moveable part may be called the diameter of the pulleys, in feet or inches, and the fixed part the number of turns they may be driven. Ex-Example. The British and North American steam- ample :- A 12-inch drum is driven 96 turns per minute. speed be required, the size of the drum is at once obonly the ordinary care and is done in one minute. Set 3 tained as follows :- Required the size of the drum to 40 mile? I mile on the moveable is at 6_{100}^{2} . A mile is, required, 9 inches; being the same result as would be in a sthe gauge point informs us, 5280. Set this at 6.22, obtained by multiplying 96 by 1^{2} , and dividing that 4^{2} by one process. A drum 14 inches diameter is driven It must be obvious to all, that, in addition to the by one II inches, and running 98 turns per minute.

53, the answer. N.B. All the figures on the fixed part

69 yards, &c.

How many yards of cloth will one loom weave, at 64 threads per inch, and throwing 125 threads per minute? Set 64 at I, and at 36, the inches in 1 yard, is 2304, the threads in I yard. Set 125, the divisor at 1, and that in 2304 is 181, the minutes to weave 1 yard. 181 at I, and at 60 is 3,24, the yards per hour, should the loom not stop. Allow 25 per cent. for the stoppage. Set 75 at 1, and at 324 is 2,43, the discount off. tiply this by the running time, 12 hours, and the result is 291 vards. Multiply this by the whole number of looms, and the amount is obtained. The rule may be varied to suit circumstances.

TEETH IN A WHEEL .- Required the number of teeth in a wheel I4 inches diameter, or 44 inches circumference, at γ_5^0 pitch. Rule—Set 9 at 16, and at 44 is the answer 78. Required the diameter of a wheel to give 151 tceth, at 3 pitch. Set 3 at 8, and at 151 is 561, the

Set 17; at 224, and at 21, on the fixed part, is the answer, of the same. By obtaining the weight of one cubic foot of coal, a body of any dimensions may be calculated, and the number of tons given in one minute.

Exchange of the different currencies into Pounds, Shillings, and Pence.

EXAMPLE-If 444 cents be equal to 20s., required the value of 19s. Set 444 at 2, and at 19 is 4.22, at 18 is 3991, and at 17 is 377, and against each number of shillings on the stationary part is the answer. If pounds be required instead of shillings, place the 444 at the 1, and on the movcable part are the dollars equal to any number of pounds and parts of a pound, on the opposite side. The par value of a dollar is 4s. 6d., or £9. is equal to forty dollars.

The same rule is applicable to all other coins or cur-If 25 francs are equal to 20s., how many francs for

12s.? Set 25 at 20, aud at I2 is 15, the answer.

If 25 francs are £1., how many francs for £9.? Set 25 at 1, and at 9 is 225.

If $25\frac{5}{10}$ francs for £1, then £8, is 204 francs,

If 3 guilders are equal to 5s., how many shillings for 33 guilders? Set 3 at 5, and at 33 is 55, the answer.

English and French Measures.

Set the number of inches in the yard-36, against the number of inches in any French measure, and at any

Example.—Set 36 at 39.3, and at 11 French is I2

At 1_{1c}^{3} , per yard, what would 32 yards cost? Set 112_{7}^{3} at 12, and at 32 is 3 shillings, the answer. Calculations of salaries. If £100,000, per annum, and at 13.5 is 202; set this at 144, and at 32 is 45 feet. how much per hour? Set 1 at 365, and at the other 1 is £274, per day; set 274 at 24, and at 2 is the answer, and at the entire 2281 the shillings per hour.

PALMER'S ENDLESS SELF-COMPUTING

SCALE AND KEY;

ADAPTING IT TO THE DIFFERENT PROFESSIONS, WITH EXAMPLES
AND ILLUSTRATIONS FOR EACH PROFESSION; AND ALSO TO COLLEGES, ACADEMIES AND SCHOOLS, WITH A

TIME TELEGRAPH.

MAKING, BY UNITING THE TWO, A

COMPUTING TELEGRAPH.

BY JOHN E, FULLER.

NEW-YORK:

PRINTED FOR THE PUBLISHER

NORTHERN DISTRICT OF NEW YORK, TO WIT:

BE IT REMEMBERED. That on the eleventh day of December, Auno-Domini, 1843, JOHN CUTTS SMITH, of the said District, has deposited in this Office the title of a Book, the title of which is in the words follow-ing to with

"A Key to the Endless, Self-computing Scale, showing its Application to the different Rules of Arithmetic, &c. By Aaron Palmer."

The right whereof he claims as proprietor. In conformity with an Act of Congress entitled An Act to amend the several Acts respecting Copy Rights.

[A true copy of record.;

ANSON LITTLE, Clerk of the District.

STEREOTYPED BY
GEORGEA. CURTIS,
SEW ENGLAND TYPE AND STEREOTYPE FOUNDRY, BOSTON.

PALMER'S

ENDLESS SELF-COMPUTING SCALE.

The proprietors of this invaluable work, beg leave to pre-tent the public with the following notice.

This Scale (the result of three years' incessant labor) is designed as an assistant in all arithmetical calculations. The simplicity, rapidity, and accuracy of its results, have as-tonished our best mathematicians. It consists of a loga rithmic combination of numbers, arranged in two or more circles, one of which is made to revolve within the other; which process constantly changes the relation of the figures to each other, and solves an infinite variety of problems. Its advantages are,-

- lst. A complete saving of mental labor; for, by the use of this Scale, the most intricate calculations are but a pleasurable exercise of the mind.
- A great saving of time. Computations requiring from three to four days, are wrought out by this Scale in the incredible short space of one minute.
- Complete accuracy. The results of the computations on this Scale, are infallible. Errors are entirely out of the question, except through sheer carelessness.
- 4th. Mental improvement. By this Scale, a knowledge of the philosophy of numbers, and their relation to each other, is soon obtained. So that, in a little time, many of the common calculations are wrought out by the mere exercise of the mind.

RECOMMENDATIONS

OF THE ENDLESS SELF-COMPUTING SCALL.

TBB "Self-Computing Scale," by A. Palmer, is a very ingenious and interesting instrument for performing most of the operations in arithmetic. The principle is very plain; and the accuracy, and certainty, and rapidity of the results are very striking.

C. DEWEY,

Principal of Collegiate Institute.

Rochester, January 19, 1842.

Having particularly examined Mr. Palmer's "Self-Companing Scale," I fully concur in the above testimonials of Dr. SAMUEL LUCKEY, D. D. Dewey.

Attica, March 5, 1842.

From an examination of the "Self-Computing Scale," by Mr. Palmer, I can most cheerfully concur in the above recommendations, and hope it may be introduced into our schools and academies.

E. B. WALSWORTH, Principal of Attica Academy

Buffalo, April 5, 1842. We have examined the above mentioned Scale, and concur

in the certificate of Professor Dewey.

W. K. SCOTT, Civ. Eng.
R. W. HASKINS, M. A.

Brockport, Feb. 19, 1842

I have carefully examined "The Endless Self-Computing Scale," by Mr. Aaron Pa'mer; and, without hesitation, give it as my opinion, that it will be found a very useful invention. All the problems in arithmetic can be readily solved upon it, and most of them with great expedition, particularly the rules for computing interest for months and days, at any per cent., the Rule of Three, and Fractions. In the apportionment of County, Town, and School Taxes, it will be found almost invalnable, as it requires to be set but once, to show each man's tax.

Principal of Collegiate Institute. Principal of Collegiate Institute

I have examined Mr. Aaron Palmer's "Endless Self-Computing Scale;" it is simple and most ingenious, and I cheerfully concur in Mr. Julius Bates's judicious recommendations of its utility.

BENJAMIN PEIRCE,
Perkins Professor of Astronomy and Mathematics in Harvard University.

Boston, October 24, 1843

Mr. Palmer's "Self-Computing Scale" is certainly a very ingenious arrangement of numbers, and it will save a great amount of time in the hands of those who have computing to perform, whatever be the subject of the computation.

FREDERICK EMERSON,

Author of the North American Arithmetic

I heartily concur in the above recommendation.
WILLIAM B. FOWLE. Late Teacher of the Female Manitorial School, Boston

Eoston, October 23, 1843

Mr. Aaron Palmer,
Sir: Your "Self-Computing Scale" appears to me an exceedingly useful invention. I shall be glad to possess one of them, as it will save me much labor, and I doubt not that many persons will find the same advantage in its use.

Respectfully your servant,
JOHN S. TYLER,
Novary Public and Insurance Eroker

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Boston, October 24, 1843.

I have examined Mr. Aaron Palmer's "Self-Computing Scale;" it strikes me as being a very convenient labor-saving machine, and that it will be highly useful in calculating interest, general average, or dividends on a bankrupt's estate, and for other similar purposes.

S. E. SEWALL Counsellor at Law

I have examined "The Endless Self-Computing Scale" of If nave examined "The Entiress Sent-Computing Scale" of Mr. Palmer, and with pleasure express my high admiration of it. It is constructed on the only principle acknowledged by scientific men, since the invention of Logarithms, adequate to such purposes. Over all sliding Logarithmic Scales, it possesses a vast superiority, both in facility of use and acturacy of result. For this superiority, it is indebted to us circular form. With a diameter of about eight inches, it is equivalent to a company eliding scale of four feet with the diameter. equivalent to a common sliding scale of four feet with its slide of the same length, making when drawn out, a rod of about eight feet in length. It will be seen that its accuracy will be proportionably greater, as a circle can be constructed more exact than such a scale.

G. C. WHITLOCK. Professor of Mathematics and Natural Science in Genessee Wesleyan Seminary.

Mr. Aaren Palmer,

Mr. Aaren Palmer,

Sir: I have taken much pleasure in testing the power of your "Self-Computing Scale," by examples from nearly all the arithmetical rules. I am particularly struck with its great facility and accuracy in computing interest, apportioning dividends, and performing proportions generally. From the best examination I have been able to give it, I think it at once a most simple and wonderful invention; and I am confident, that when perfected, it will come rapidly into extensive public use, and will prove of singular benefit to those having occasion to make frequent computations in Bankruptcy, Insolvency, Insurance, Averages, Taxation, and the like branches of business.

AMOS B. MERRILL, 10 Court Street, Beston. 10 Court Street, Boston

THE TIME TELEGRAPH.

The Time Telegraph is composed of a beautiful steel plate engraving, neatly executed by G. G. Smith, of Boston, upon the surface of which is arranged in circles four lines or rows of numbers; upon the moveable circle is placed the names of the twelve calendar months, to which is affixed the number of days in each month, 365 making the entire circle; the inner row of numbers found upon the stationary circle, running from 1 to 365, is used for calculating time to come; the outer row of numbers on the stationary circle is reversed, and is used for the purpose of calculating time past. The manner of ascertaining the number of days from any given day in any month, is readily found by simply turning the moveable circle unto the day of the month from which you compute is directly opposite the gauge point affixed at the figures 365 then opposite the day of the month to which you wish to reckon is found the exact number of days required. Upon the stationary circle is also found the weeks, from one to 52; to these are added divisions of 30 days, so that any portion of the year can be brought into months as readily as the fingers of the hand can be reckoned. The Time Telegraph will be found of invaluable benefit in working equation of payments,

Entered according to Act of Congress, A.D. 1845, By John E. Fuller.

INTRODUCTION.

THE undersigned, proprietor of the Copy Right of Palmer's Endless Self-Computing Scale, and having been engaged in introducing and selling the same for about eighteen months past, and become extensively acquainted with the wants of the community, has been induced to introduce an improvement for which he has secured a Copyright, both for the Scale anc Key, and is assured that all persons in commencing the use of the Scale will be very much assisted. The character of the Scale is too well established to need remarks. Having personally introduced it to about Four Thousand persons; by very many of whom he has had repeated assurances of their high appreciation of its value, he can with confidence refer others who may wish to possess it, to any of those who may have used it in any of the various rules of Arithmetic. His only desire is that its future patronage shall be proportionate to its true merits.

JOHN E. FULLER.

KEY TO THE SCALE.

DESCRIPTION OF THE SCALE.

THE figures on both parts of the scale, are precisely alike, and may be called whole numbers or parts of numbers, according to the nature of the problem to be solved. The large figure 1 may be called 1000, or 100, or 10, or 10, or 100, or 1000, or 10000, &c., &c. If it be called 1000, the large figure 2 will be $\frac{2}{1000}$, the large 3 will be $\frac{3}{1000}$, and so on; and the next sized figures between those large ones, will then be 10000, 10000, 10000, &c.; and the still smaller ones will be 100000, &c. If the large 1 be called 1, then 2 is 2, 3 is 3, &c.; and the next sized figures are tenths, and the third sized ones are hundredths, &c. If the large 1 be called 10, the large 2 is 20, 3 is 30, &c.; and the next sized figures are whole numbers—the first after the 1 is 11, the next 12, the next 13, &c. If the large 1 be

10

calle? 100, 2 is 200, &c.; and the next sized figures then will read 10, 20, 30, &c.; and the smallest sized figures will then be whole numbers.

N. B.—Whenever fig. 1 is referred to, it means the large fig. 1 at the diamond—unless otherwise explained.

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A TABLE OF GAUGE POINTS USED ON THIS SCALE.

I., at the diamond, is the gauge point for Multipli cation, Division, &c., &c.

- A. Area of a Circle.
- C. Circumference of a Circle.
- B. G. Beer Gallons.
- W. G. Wine Gallons.
- 15. for months, at 8 per cent. for months, at 7 per cent.
- 2. for months, at 6 per cent.

 for days, at 8 per cent.

 for days, at 7 per cent.

 for days, at 6 per cent.
- 107. Compound Int. for years, at 7 per cent.
- 106. do. do. do. 6 do.
- 160. for Acres.
- 144. for Square Timber.
- 9. Yds. Square.
- 886. Square and Circle, equal in Area.
- 707. Inscribed Square.
- 577. side of Inscribed Cube.

12

- 87. side of Inscribed Triangle.
- 589. side of Pentagon, (5 sides.)
- 5. side of Hexagon, (6 sides.)
- 437. side of Heptagon, (7 sides.)
- 383. side of Octagon, (8 sides.)
- 337. side of Nonagon, (9 sides.)
- 31. side of Decagon, (10 sides.)
- 282. side of Undecagon, (11 sides)
- 26. side of Dodecagon, (12 sides.)
- 464. diameter of 3 Inscribed Circles.
- Ale II
- 416. diameter of 4 Inscribed Circles.
- 785 . point for Area.
- 314 . point for Circumference.

To PERFORM MULTIPLICATION.

Role.—First find the multiplier on the circular. Place it opposite 1, then opposite the multiplicand found on the fixed part, is the product on the circular.

Example.—What is the product of 4 by 2?

Place 2 opposite 1: then opposite 4 is the product = 8.

N. B.—Observe, now, that all the numbers and parts of numbers on the fixed part, are multiplied by 2, and their products are directly opposite them on the circular. So of any other multiplier.

What is the product of 12 by 7?

Place 7 opposite 1: then opposite 12 is 84, the answer.

O?3 by 3?

Place 3 opposite 1: then opposite 3 is 9, the answer.

What is the product of 8 by 21?

Place 2.5 opposite 1: then opposite 8 is 20, the answer.

What is the product of 10 by 5?

Pirce 5 opposite 1: then opposite 10 is 50, the answer. Here you have to use the same figures both

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times, calling them 1 and 5 the first time, and adding a cyplier to each the next time.

What is the product of 13 by 3?

Place 3 opposite 1, then opposite 13 (found between the large 1 and 2) is 39, the answer.

What is the product of 50 by 4?

Place 4 opposite 1: now we must call the large 5 50: opposite it is 200, the answer.

What is the product of 24 by 3?

Place 3 opposite 1: then opposite 24 (found between the large 2 and the large 3) is 72, the answer.

What is the product of 3 multiplied by 2 (two tenths)?

Now we must call the large 2, two tenths. Place it opposite 1: then opposite 3 is 6, (six tenths,) the answer.

DIVISION.

Rule.—Find the divisor on the circular. Place it opposite 1: then opposite the dividend, found also on the circular, is the quotient on the fixed part.

Example .- 2 is in 8, how many times?

Place 2 opposite 1: then opposite 8 is 4, the answer.

3 is in 12, how many times?

Place 3 opposite 1: then opposite 12 is 4, the caser.

How many times 4 in 14?

Place 4 opposite 1: then opposite 14 is 3 and five tenths, (3.5,) the answer.

NOTE.—Whenever a divisor is placed opposite 1, all the numbers and parts of numbers on the circular are divided by it. The quotients are on the fixed part.

Example:—Place the divisor 2 opposite 1: now opposite 2 is 1, opposite 12 is 6, opposite 4 is 2, opposite 6 is 3, opposite 14 is 7, opposite 24 is 12, opposite 125 is 62·5, opposite 75 is 37·5, &c.

To Multiply by one number and Divide by another by one simple process.

RULE.—Place the multiplier on the circular opposite the divisor: then, opposite the multiplicand is the result.

Example.—What is the result of 22 multiplied by 13 and divided by 14?

Place 13 opposite 14: then opposite 22 is 20·4+the answer.

FRACTIONS.

To Change an Improper Fraction to a whole or mixed Number.

RULE .- Place the numerator found on the circular

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opposite the denominator: then opposite 1 is the answer.

Example.—A man spending $\frac{1}{6}$ of a dollar per day, in 83 days would spend $\frac{9}{6}$ 2 of a dollar. How much would that be?

Place 83 opposite 6: then opposite 1 is \$13 83, the answer.

In 4 of a dollar how many dollars?

Place 8 opposite 4: then opposite 1 is \$2, the answer.

To reduce a Mixed Number to an Improper Fraction.

RULE.—Place the mixed number opposite 1: then opposite the denomination to which you wish it reduced is the answer.

Example.—In 165 of a dollar, how many 12ths of a dollar?

Place $16\frac{5}{12}$ opposite 1: then opposite 12 is the number of 12ths in $16\frac{5}{12}$, viz., $197 = \frac{197}{12}$, the answer.

To reduce a Fraction to its lowest and all its Terms.

RULE.—Place the numerator found on the circular opposite the denominator: then all the numbers standing directly opposite each other, are other terms of said fraction; and the lowest of said numbers are its lowest terms.

Reduce 12 to its lowest terms.

Place 12 opposite 16: now 9 is opposite 12 $\binom{2}{12}$, 6 is opposite 8 $\binom{6}{4}$, and 3 is opposite 4 $\binom{3}{4}$, the

TO DIVIDE A FRACTION BY A WHOLE NUMBER.

Rule.—Place the whole number found on the circular opposite 1: then opposite the denominator is a number, which, placed opposite the numerator, is the answer.

Example.—If 2 yards of cloth cost $\frac{2}{3}$ of a dollar, how much is that per yard?

2 is in $\frac{2}{3}$ how many times? Place 2 opposite 1: then opposite 3 is 6. Now place this opposite 2, and it will read $\frac{2}{3}$, the answer= $\frac{1}{3}$.

2 is in 7 how many times?

Place 2 opposite 1: opposite 8 is 16. This, placed opposite 7, makes 76, the answer.

To multiply a Whole Number by a Fraction, or a Fraction by a Whole Number.

Rule.—Place the numerator found on the circular opposite the denominator: then opposite the whole number is the answer.

N. B.—Whenever a numerator is placed opposite a denominator, all the numbers on the circular are that fractional part of the numbers opposite them.

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Example.—Place 3 opposite 4: this is $\frac{2}{4}$. Now the 3 is $\frac{2}{4}$ of 4; 6 stands opposite 8, being $\frac{2}{4}$ of 8; 9 is opposite 12: 12 is opposite 16, &c., &c. Now move the circular until 3 is opposite 5: now all the numbers on the circular are $\frac{2}{4}$ of those opposite them.

Note.—Whenever a numerator is placed opposite a denominator, thereby forming a vulgar fraction, the decimal of said vulgar fraction is opposite 1; hence,

To REDUCE VULGAR FRACTIONS TO DECIMAL FRACTIONS.

RULE.—Place the numerator found on the circular opposite the denominator: then opposite 1 is the decimal fraction.

Example.—What is the decimal of ??

Place 3 opposite 4: now opposite 1 is '75, the answer.

What is the decimal of $\frac{7}{8}$? Place 7 opposite 8: opposite 1 is 875.

To REDUCE DECIMAL FRACTIONS TO VULGAR FRACTIONS.

Rule.—Place the decimal found on the circular opposite 1: then any two figures standing directly opposite each other is the answer.

Example.—What is the vulgar fraction equivalent to the decimal .5?

Place 5 opposite 1 now 1 is opposite $2 = \frac{1}{2}$, the

To multiply one Fraction by another.

RULE.—Reduce one to decimals: then place the numerator of the other opposite the denominator: then opposite the decimal is the answer in decimals, which, if desired, can be reduced to a vulgar fraction by the preceding rules.

To reduce the Different Currencies to Federal Money.

RULE.—Place the 1 on the circular, opposite the number of shillings and parts of a shilling composing a dollar of the currency to be reduced: then, opposite the given number of shillings is the answer.

Example.—Reduce 5 shillings, New York cur-

rency, to Fcderal money.

Place 1 (on the circular) opposite 8: ther opposite 5 shillings, is ·625, the answer.

In 15 shillings, how much? Opposite 15 is 1.875, the answer.

In 32 shillings, English currency, how much? Place 1 (on the circular) opposite 4:5: then opposite 32, is \$7:11, the answer.

In 9 shillings, how much? Opposite 9 is \$2, the answer.

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INTEREST.

To compute Interest for Years.

RULE.—Place the rate per cent. found on the cir cular, opposite 1: then opposite the principal is the interest.

Example.—What is the interest of \$50 at 7 per cent.?

Place 7 opposite 1: then opposite 50 is \$3.50, the answer.

What is the interest on \$40 at 6½ per cent.? Place 6.5 opposite 1: then opposite 40 is \$2.60, the answer.

To compute Interest for Months.

RULE.—Place the principal, (found on the circular,) opposite the gauge point for months at the given per cent.: then opposite the given number of months is the answer.

Example.—What is the interest on \$50 for three months at 7 pcr cent.?

Place 50, (found on the circular,) opposite 1714, (the gauge point for months at 7 per cent.,) then opposite 3 months is .875, the answer.

What is the interest on \$60. for eight months at 6 per cent?

Place 60 opposite 2, (the gauge point for months at 6 per cent.,) then opposite 8 months is \$2.40, the answer.

To compute Interest for Days.

RULE.—Place the principal, (found on the circular,) opposite the gauge point for days at the given per cent.: then opposite the number of days is the answer.

Example.—What is the interest on \$55 for 15

days at 6 per cent?

Place 55 opposite 600, (the gauge point for days at 6 per cent.,) then opposite 15 days is 13 3-4.

THE PRINCIPAL AND INTEREST BEING GIVEN, TO FIND THE RATE PER CENT.

RULE FOR ONE YEAR.—Place the interest opposite the principal: then opposite 1 is the rate per cent.

Example.—Received \$7.00 for the use of \$50.00 for one year; what was the rate per cent.?

Place 7 opposite 50: then opposite 1 is 14, the answer, 14 per cent.

Gave \$4.00 for the use of \$50.00 one year: what was the rate per cent.?

Place 4 opposite 80: then opposite 1 is 5, the answer, 5 per cent.

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RULE FOR MONTHS.—Place the given interest opposite the given number of months: then observe the number opposite 12. Now place this number opposite the principal: then opposite 1 is the rate per cent.

Example.—Paid 25 cents for the use of \$5.00 for 4 months: what was the rate per cent.?

Place 25 opposite 4: then opposite 12 is 75. Now place 75 opposite \$5.00: then opposite 1 is 15, (15 per cent.,) the answer.

Gave 14 cents for the use of \$60.00 one month: what was the per cent.?

Place 14 opposite 1: then opposite 12 is 1.68. Now place 1.68 opposite 60: then opposite 1 is 2.8, (2_{10}^{*}) per cent.,) the answer.

RULE FOR DAYS.—Place the given interest opposite the given number of days: then observe the interest opposite 365 (the number of days in a year). Place this opposite the principal: then opposite 1 is the rate per cent.

Example.—Paid 14 cents for the use of \$64.00 29 days: what was the rate per cent.?

Place 14 opposite 29: now opposite 365 is \$1.76. Now place 1.76 opposite 64: then opposite 1 is 2.75 ($2\frac{\pi}{4}$ per cent.,) the answer.

Paid 23 cents for the use of \$50.00, 21 days: what was the rate per cent.?

Place 23 opposite 21: now opposite 365 is 4. Place 4 opposite 50: then opposite 1 is 8 per cent. the answer.

THE RATE PER CENT. AND THE INTEREST BEING GIVEN, TO FIND THE PRINCIPAL.

RULE FOR ONE YEAR.—Place the per cent. opposite 1: then opposite the interest is the principal.

Example.—At 7 per cent. I paid \$3:50 for the us

of money 1 year: what was the principal?
Place 7 opposite 1: then opposite 3.50 is \$50.00

RULE FOR MONTHS.—Place the interest opposite the given number of months: then opposite the point of the given per cent., for months, is the answer.

Example.—Gave \$2.00 at 7 per cent. for three months: what was the principal?

Place 2 opposite 3: then opposite 1.714 is \$114.3 the answer.

the answer.

RULE FOR DAYS.—Place the given interest opp site the given number of days: then opposite the gauge point for days stands the principal.

Example.—At 7 per cent., gave 15 cents for 5

days: what was the principal?

Place 15 opposite 20: then opposite 521 (d gauge point for days at 7 per cent.) is \$39.00. d answer.

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THE RATE PER CENT., INTEREST, AND PRINCEPAL BEING GIVEN, TO FIND THE TIME.

RULE.—Place the interest of the given princip for one year opposite 12: then opposite the given it terest will be the answer in months and decimals a month. Or, place the interest of the given principal pal for one year opposite 365: then opposite to given interest will be the time in days.

Example.—Gave S7,5 cents at 7 per cent. f \$50.00: how long did I have it?

The interest of \$50.00 for one year, is \$3.5 Place 3.50 opposite 12: then opposite .875 is t answer, 3 months.

Gave 24 cents at 7 per cent. for the use of \$50 how long did I have it?

Place \$3.50 opposite 365: then opposite 24 is t answer, 25 days.

COMPOUND INTEREST.

RULE.—Place the principal opposite fig. 1: the opposite the rate per cent. added to 100, on the fix part, is the amount for one year. Place this amount opposite fig. 1: then opposite the same point is t amount for two years. Place this last amount opposite 1: then opposite the same point is the amount for 3 years, &c.

Example.—What is the compound interest on \$5.00 for 5 years at 6 per cent?

Place 5 opposite 1: then opposite 106, (the per cent. added to 100,) is \$5:30, the amount for 1 year. Now place \$5:30 opposite 1: then opposite 106 is \$5:62, the amount for 2 years. Now place \$5:62 opposite fig. 1: then opposite 106 is \$5:95 the amount for 3 years. Now place \$5:95 opposite fig. 1: then opposite 106 is \$6:31, the amount for 4 years. Now place \$6:31 opposite fig. 1: then opposite 106 is \$6:69, the amount for 5 years.

LOSS AND GAIN.

Bought a hogshead of molasses for \$60: for how much must I sell it to gain 20 per cent.?

Rule.—Place 20 opposite 1: then opposite 60 is what must be added to the original cost to gain said per cent., viz.. 12: which added to 60 = 72.

Bought cloth at \$2.50 per yard; but, being damaged, I am willing to sell it so as to lose 12 per cent. How must I sell it per yard?

Place 12 opposite 1: then opposite \$2.50 is .30, the amount to be deducted from \$2.50, which will leave 2.20, the answer.

Bought cloth at 50 cents per yard: sold it for 10 cents advance from cost. What per cent. did I make?

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Place 10 opposite 50: then opposite 1 is 20 per cent., the answer.

ANOTHER METHOD.—Place the original cost opposite 1: then opposite the rate per cent. added to 100, is the answer.

Example.—Bought corn at 50 cents per bushel: at how much must I sell it to gain 20 per cent.?

Place 50 opposite 1: then opposite 120, is 60 cents, the answer.

Bought cloth at \$2 per yard, and sold it at \$3 per yard: what per cent. did I make?

Place 2 opposite 1: then opposite 3 is 150, 50 per cent., answer.

RULE OF THREE, OR PROPORTION.

RULE.—Place the second term opposite the first. then opposite the third term, is the answer.

Example.—If 2 yards of cloth cost \$4.00, what cost 8 yards?

Place 4 opposite 2: then opposite 8 is 16.

Note.—All numbers of yards at that rate, are now on the scale, and may be determined without moving the circular.

At $\frac{7}{8}$ of a dollar per yard, what cost 4 yards? Place 7 opposite 8: then opposite the given number of yards, is the answer. If 1 ton of hay cost \$8.00, what cost 900 pounds? Place 8 opposite 2000, (the number of lbs. in a ton:) then opposite 900 is the answer; and so of any other number of pounds.

FELLOWSHIP.

Rule.—Place the whole gain or loss opposite the whole stock: then opposite each man's share of the stock is his share of the gain or loss.

Example.—A invested \$30, B invested \$20, and they gained in trade \$12: what is each one's share of the gain?

Place 12 (the whole gain) opposite 50 (the whole stock): then opposite 20 (A's stock) is \$4.80; and opposite 30 (B's stock) is \$7.20.

EVOLUTION.

TO EXTRACT THE SQUARE ROOT.

RULE.—Move the given number around until it is opposite the same number which is opposite 1; and that number is the answer sought.

Example.—What is the square root of 42?

Move 42 on the circular around until it comes opposite 6.48. Now 6.48 is opposite 1: hence that is the square root of 42.

To extract the Cube Root.

RULE .- Move the given number around until it

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comes opposite a number, the square of which at the same time is opposite 1; and that number is the root cought

Example.—What is the cube root of 27?

Move 27 around until it comes opposite 3: at that time 9 is opposite 1: hence 3 is the answer.

TO APPORTION TAXES.

RULE.—Place the whole tax to be raised, found on the circular, opposite the whole valuation: then opposite each man's valuation, is his tax.

Example.—A tax of \$1.500.00 is levied on a valuation of \$200.000.00: what is a man's tax whose valuation is \$700.00?

Place 1500 opposite 200.000: then opposite 700 is \$5:25, the answer.

SCHOOL TAX.

1550 days have been sent, and \$33:20 tax is to be raised: how much is each man's tax?

Place 33:20 opposite 1550: then opposite the days each man has sent is his tax.

A has sent 28 days: his tax is 60 cents.

Opposite 70, the number of days B has sent, is his tax, \$1.50; and so of every other man's tax, without moving the scale.

TO COMPUTE TOLL.

What is the toll on 6000 pounds, for 289 miles, at 4 mills per mile per 1000 pounds?

Place the 4 opposite 1000: opposite 6 is 024 (two cents four mills). Now place this opposite 1: then opposite 289 is \$6.936, the answer.

TO MEASURE SUPERFICES.

RULE 1.—Place the width in inches opposite 12: then opposite the feet in length, is the answer in feet and tenths of a foot.

Example.—Give the contents of a board 6 inches wide, 14 feet long.

Place 6 opposite 12: then opposite 14 (the length), is the answer, 7 feet.

RULE 2.—Place the width in feet opposite 1: then opposite the length in feet, is the answer in feet.

How many square feet in a floor 20 by 20? $20 \times 20 = 400$, the answer.

How many square feet in a garden 94 by 54 feet?
96×54=5184 feet, answer.

Note.—If one side be inches and the other feet, place the given number of inches opposite the number of inches 3*

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in a foot, viz. 12: then opposite the length in feet, will be the answer in feet. If one side be feet and the other rods, the answer will be in rods by placing the feet opposite the number of feet in a rod; &c., &c.

In a lot of land 120 rods long and 60 rods wide, how many acres?

Place 60 opposite 160 (the number of rods in an acre): then opposite 120, is 45 acres, the answer.

If a board be 8 inches wide, how much in length will make a square foot?

Place the width, 8 inches, opposite 1: then opposite 144 (the number of square inches in a foot) is the answer, 18 inches.

If a piece of land be 5 rods wide, how many rods in length will make an acre?

Place 5 opposite 1: then opposite 160 (the num ber of rods in an acre) is the answer, 32 rods.

SQUARE YARDS.

How many square yards of carpeting will it require to cover a floor 20 feet long and 14 feet wide?

Place 20 found on the circular opposite 9 (the gauge point for yards square): then opposite 14 on the fixed part is 31 yards, the answer.

THE WIDTH AND CONTENTS GIVEN, TO FIND THE

RULE.-Place the contents on the circular opposite

the width in feet: then opposite 9, on the fixed part, is the length in feet.

Fxample.- I have a room containing 20 square yards: I wish to cover it with a piece of carpeting 21 feet wide: how many feet in length will it re-

Place 20 on the circular opposite 2.5 (21): then opposite 9, on the fixed part, is 72 feet, the answer.

TO MEASURE LAND IN CHAINS AND LINKS.

RULE .- Place one of the sides in chains and links, opposite 1: then opposite the other side, in chains and links, are the number of acres and parts of an

Example.—To find the acres in 7 chains and 50 links by 6 chains and 40 links.

Place 750 opposite 1: then opposite 640 is 4.80 (4,80) acres, the answer.

To nna tne acres in 7 chains and 75 links by 9 chains and 64 links.

Place 775 opposite 1: then opposite 964 is 7 47 acres, the answer.

To find the amount of land in 1 chain and 80 links by 2 chains and 50 links.

Place 180 opposite 1: then opposite 250 is 45 (100) of an acre, the answer.

To MEASURE SQUARE TIMBER.

Rule.-Place the product of the width by the thickness, opposite 144: then opposite the length is the answer in feet and tenths.

Example. -- What is the solid contents of a stick 4 inches by 7, and 20 feet long?

4×7=28. Place 28 opposite 144: then opposite

the length, 20 feet, is 3.9 feet, the answer, $=3\frac{9}{10}$

What is the solid contents of a stick of timber 18 inches by 1S inches, and 13 feet long?

The product of 18 by 18, is 324. Now place 324 opposite 144: then opposite 13 (the length) is 29.3, (29,3,) the answer.

N. B .- If it be desired to have the answer in inches, instead of placing the product of the width by the thickness, opposite 144, place it opposite 1: then opposite the length in inches, will be the solid con-

Note.-Any bale, box, or chest may be measured by the preceding rule.

tents in inches.

TO MEASURE A HYPOTENUSE.

AB hypotenuse, Bc perpendicular, Ac base.

RULE.-Square each of the sides and add their

products together, the square root of which is the

Example.-What is the hypotenuse of a rightangled triangle, one side of which is 3 feet, the other 4 feet?

 $3 \times 3 = 9$ and $4 \times 4 = 16$: these two added together, make 25, the square root of which is 5 feet, the answer.

TO MEASURE A TRIANGLE.

Place half the base opposite 1: then opposite the perpendicular height, is the area.

Example.-What is the area of a triangle whose base is 32 mches, and perpendicular height 14

Place 16 (4 of 32) opposite 1: then opposite 14 is 224 square inches, the answer.

To find the Solid Contents of a Pyramid.

Rule.-Multiply the area of the base uy 1 of the perpendicular height, whether it be a square, triangular, or circular pyramid.

Example.—What is the solid contents of a pyramid whose base is 4 feet square, and perpendicular height 9 feet?

 $4 \times 4 = 16$, the base. Place this opposite 1. Now 1 of 9 is 3. Opposite 3 is the solid contents, 48 feet.

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There is a cone whose height is 27 feet, and whose base is 7 feet in diameter . what are its contents?

Place the square of 7 (49) opposite 1: then opposite A is the area of the base.

of 27 is 9. Place 9 opposite 1: then opposite the area (38.6) is the answer, 3461 solid feet.

To find the Solid Contents of a Frustrum of a PYRAMID.

RULE .- To the product of one end by the other, add the sum of the squares of each end. Place this opposite 144. Then opposite \(\frac{1}{3} \) of the length, is the

Example.-What are the contents of a stick of timber whose larger end is 12, whose smaller end is 8 inches, and whose length is 30 feet?

The product of one end by the other is 96, the square of 12 is 144, the square of 8 is 64. These. all added, make 96

144 64

304. Place this opposite 144.

then opposite 10 (1 of the length) is the answer, 214 feet.

TO FIND THE SOLID CONTENTS OF A FRUSTRUM OF A CONE.

RULE .- Multiply each diameter by itself separately, multiply one diameter by the other, add these three products together. Now place the length opposite 3S2: then opposite the products thus added, is the answer.

To find the Circumference of a Circle from its Diameter, or its Diameter from its Circumfer

RULE .- Place letter c, (found on the circular,) opposite fig. 1: then the figures on the fixed part are diameters, and those on the circle are circumferences. Opposite each diameter is its circumference.

Example. What is the circumference of a circle whose diameter is 9 inches?

Place c opposite fig. 1: then opposite 9 is 28.2, (28 inches and 2 tenths,) the answer.

To find the Area of a Circle.

Rule.-Place the square of the diameter opposito 1: then opposite the letter A is the

Example.-What is the area of a circular garden whose diameter is 11 rods?

Place 121 (the square of 11) opposite 1: then opposite letter A is 95.03 rods, the answer.

To find the side of a Square equal in area to any given Circle.

RULE .- Place '886, found on the circular, opposite fig. 1: then opposite any diameter of a circle upon the fixed part, is the side of a square equal in area, on the circular.

Example.—What is the side of a square equal in area to a circle 4 feet in diameter?

Place '886 opposite fig. 1: then opposite 4 is 3.55 feet, the answer.

To find the side of the greatest Square that can be inscribed in any give rcle.

Rule.-Place '707, found on the circular. opposite fig. 1: then opposite any diameter of a circle (found on the fixed part,) is the side of its inscribed square.

Example. - What is the side of an inscribed square equal in area to a circle 45 rods in diameter?

Place '707 opposite fig. 1: then opposite 45, on the

fixed part, is 31.8 rods, the answer.

To find the length of one side of the greatest Cuiz that can be taken from a Globe of a given diam-

Rule.—Place 577, found on the circular, opposite fig. 1: then opposite any diameter, on the fixed part, is the length of one side of the greatest cube.

Example. What is the length of the side of the greatest cube that can be taken from a globe 82 inches in diameter?

Place 577 (the gauge point for the side of an inscribed cube) opposite fig. 1: then opposite 82, on the fixed part, is $47.3 \ (47.3)$ inches, the answer.

To find the length of the side of the greatest equilateral triangle that can be inscribed in a given circle.

Rule.—Place S7, found on the circular, opposite fig. 1: then opposite any diameter on the fixed part, is the length of the side of an inscribed triangle And opposite the length of the side of any triangle on the circular, is the diameter required to inscribe it in

Example.—What is the length of one side of the greatest equilateral triangle that can be inscribed in a circle 62 inches in diameter?

Place S7 opposite fig. 1: then opposite 62, on the fixed part, is 54 inches, the answer.

What is the least diameter of a circle in which a triangle may be inscribed whose side is 6:5 inches (6½)?

Place 87 opposite fig. 1: then opposite 6.5, on the circular, is $7.48 \ (7\frac{4.8}{10.0})$ inches, the answer.

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To find the length of the side of the greatest figure that can be inscribed in a given circle.

	Ru	LE for a	a	
Pentagon	(5 s	sides)	Place	589.
Hexagon	6	66	66	5.
Heptagon	7	4.6	66	437.
Octagon	8	66	**	3.83
Nonagon	9	16	66	337
Decagon	10	*6	66	31
Undecagon	11	66	66	282
Dodecagon	12	66	66	26
				11

opposite fig. 1: then opposite any given diameter on the fixed part, is the length of the side of the greatest figure that can be inscribed in it.

Example 1.—What is the length of one side of the greatest pentagon, or five-sided figure, that can be inscribed in a circle whose diameter is 51 inches?

Place 5S9 opposite 1: then opposite 51, on the fixed part, is 30 inches, the answer.

Example 2.—What is the length of one side of the greatest nonagon (nine-sided figure) that can be asscribed in a circle 82 feet in diameter?

Place 337 opposite fig. 1: then opposite 82, found on the fixed part, is 27.6 (27.6) feet, the answer.

Example 3.—What is the least diameter of a circle

in which may be inscribed an undecagon (elevensided figure.) one side of which is 13 inches long?

Place 282 opposite fig. 1: then opposite 13 inches, found on the circular, is 46:1 inches, the answer.

To find the greatest diameter of each of three equal circles that can be inscribed within a circle of a given diameter.

Rule.—Place, 464 opposite fig. 1: then opposite any diameter on the fixed part, is the diameter of one of the three inscribed circles.

Example.—What is the greatest diameter of each of three circles, that can be inscribed within a circle 25 inches in diameter?

Place 464 opposite fig. 1: then opposite 25 on the fixed part, is 11:6 inches, the answer.

To find the greatest diameter of four equal circles that can be inscribed within another circle of a given diameter.

Rule.—Place 416 opposite fig. 1: then opposite any given diameter on the fixed part, is the diameter of each of the four inscribed circles.

Example.—What is the greatest diameter of each of four equal circles that can be inscribed in another circle 22 inches in diameter?

Place 416 opposite fig. 1: then opposite 22, on the fixed part, is $9.15 ext{ } (9_{700}^{15})$ inches, the answer.

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"o find the Solidity of a Cylinder, or to measure Round Timber.

RULE.—First find the area of the base by the rule for finding the area

of a circle, place that area opposite 144, then opposite the length in feet, is the answer in feet and decimals of a foot.

Note.—If the diameter be given in feet, place the area opposite 1, instead of placing it opposite 144.

Example.—What are the solid contents of a cylinder 5 inches in diameter, and 13 feet long?

Place 25 (the square of 5) opposite 1: then opposite A is 1.965. Now place 1.965 opposite 144. then opposite 13 (the length) is 1.77 feet, the answer.

How many solid feet in a round log 15 inches in diameter, and 14 feet long?

Place 225 (the square of 15) opposite 1: then opposite A is 1.77 the area. Now place 1.77 opposite 144: then opposite 14 is 17.2 feet, the answer.

In a log 12 feet long, 14 inches diameter? Answer, 12.8 feet.

In a log 16 feet long, 11 inches in diameter?

Answer, 10.5 feet.

In a log 7 inches diameter, 15 feet long?

Answer 4 785 feet.

Note.—If the diameter and length are both given in inches, place the square of the diameter opposite 1728: then opposite the inches in length, is the answer in feet.

Note.—A cylinder that is 12 inches in diameter and 12 inches long, and a globe that is 12 inches in diameter, and a cone that is 12 inches high and 12 inches diameter at its base, bear a proportion to cach other as 3, 2 and 1. Therefore if you place the contents of any cylinder on the circular opposite to 3 on the fixed part, then opposite 2 on the fixed part is the contents of an inscribed globe, and opposite fig. 1 is the contents of an inscribed cone.

To find how many Solid Feet a Round Stick of Timber will contain, when hewn Square.

RULE.—Place double the square of half the diameter opposite 144: then opposite the length is the answer.

Example.—In a log 28 feet long, 22 inches diameter, half the diameter is 11, the square of which is 121. This doubled, is 242. Now place 242 opposite 144: then opposite 28 (the length) is 47 + the answer.

To find how many feet of Boards can be sawn from a Log of given Diameter.

Rule -Find the solid contents of the log where

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made square, then place 12 opposite the thickness of the board (including the saw-calf:) then opposite the solid contents is the answer in feet.

To find the Area of a Globe or Ball.

RULE.—Place the diameter opposite 1:
then opposite the circumference is the answer.
Example.—How many square inches of leather will cover a ball 3\frac{1}{2} inches in diameter?

Place $3\frac{1}{2}$ opposite 1: then opposite D. is 11, the circumference. Opposite 11 is the area, $38\frac{1}{2}$ inches.

How many square feet on the surface of a globe 4 feet in diameter?

Place 4 opposite 1: then opposite p. is 12:55 feet, the circumference. Opposite 12:55 is 50:4, the answer.

To find the Solid Contents of a Globe or Ball.

Rule.—First find its area by the preceding rules: then multiply its area by the fits diameter.

Example.—What are the solid contents of a ball 14 inches in diameter?

Place 14 opposite 1: then opposite p. is 44 inches, the circumference. Opposite 44 is 617, the area. I of the diameter, is 2.33 l. Place this opposite 1: then opposite 617 (the area) is 1437 inches, the solid contents.

What are the solid contents of a ball 5 inches in diameter?

Place 5 opposite 1: then opposite p. is 15.7 inches, the circumference. Also, opposite 15.7 inches is 78.4 inches, the area. † of 5 is 835. Place this opposite 1: then opposite 78.4 inches (the area) is 654 inches, the solid contents.

There is a ball 20 inches in circumference: what are its solid contents?

Place 20 opposite letter p. Opposite 20 is 127, the area. $\frac{1}{6}$ of the diameter is 1.06. Place this opposite 1: then opposite 127 is 1350 inches, the solid contents.

To find the Area of an Ellipse.

Rule.—Place the product of the transverse diameter multiplied by the conjugate diameter opposite 1: then opposite letter A is the answer.

Example.—What is the area of an ellipse whose transverse diameter is 12 inches, and conjugate diameter 10 inches?

 $10 \times 12 = 120$. Place 120 opposite 1: then opposite letter A is 94.25, the area.

44

GAUGING CASES.

To find the Mean Diameter of a Cask.

Rule.—Add 2 of the difference between the head and bung diameter to the head diameter. This reduces the cask to a cylinder. Then multiply the square of the mean diameter by the length. Place the product opposite 1: then opposite BG is the number of beer gallons, and under wa is the number of wine gations.

Example.—There is a cask whose head diameter is 25 inches, bung diameter 31 inches, and whose length is 36 inches: how many beer gallons and how many wine gallons does it contain?

6 is the difference between 25 and 31. $\frac{2}{3}$ of 6 is 4. This, added to 25, makes 29 inches, the mean diameter. The square of 29 is 841. Place this opposite 1: then opposite 36 is 302+. Place this last opposite 1: then opposite BG is 85 gallons, and opposite wG is 103 gallons, the answer.

To find the Weight of an Iron Ball, from its Diameter.

RULE.—Place the cube of the diameter opposite 1: then opposite 14 is the weight.

Example.—What is the weight of an iron ball 6.7 inches in diameter?

 $6.7 \times 6.7 = 45$, and $45 \times 6.7 = 301.5$. Place 301.5 opposite 1: then opposite 14 is 42.29 pounds, the answer.

A ball 5.54 inches diameter? Answer, 24 pounds nearly.

A ball 32 inches circumference?

Place 32 opposite p: then opposite 1 is the diameter. Now cube the diameter, and place that cube opposite 1: then opposite 14 is 148 pounds, the answer.

To find the Weight of a Leaden Ball from its Diameter or Circumference.

Rule.—Place the cube of the diameter opposite 1: then opposite 21:5 is the weight.

A ball is 6.6 inches in diameter: what is its weight?

Answer, 61.6 pounds.

A ball 5:3 inches in diameter? Answer, 32 pounds nearly.

To find the Diameter of an Iron Ball from its Weight.

RULE.—Place the weight opposite 1: then opposite 7:11 is a product, the cube root of which is its diameter

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What is the diameter of a 24 pound ball? Answer, 5.54 inches.

To find the Diameter of a Leaden Ball from its Weight.

Rule.—Place 14 opposite 3: then opposite the weight is a product, the cube root of which is the answer.

A ball 8 pounds in weight is 3.34 inches in diameter.

Specific Gravity and Weight of Bodies.

	oz.	
Dans Distance	00000101	Z.
Pure Platina .		160
Fine Gold	19400 Brick 2	000
Standard Gold .	17720 Common Earth . 1	984
Quicksilver	13600 Nitre 1	900
Lead	11325 Ivory i	825
Fine Silver	11091 Brimstone 1	810
Common Silver .	10535 Solid Cunpowder 1	745
Copper		520
Copper Pence .		250
Gun Metal	8784 Mahogany i	063
Cast Brass	8000 Boxwood 1	000
Steel	7850 Sea Water 1	090
Iron		
	7.495 Collision Water 1	000
Cast Iron	7425 Oak	925
Tin	7320 Gunpowd'r shook close	937
Crystal Glass .	3150 " in a loose heap	836
Granite	3000 Ash	800
White Lead	3160 Maple	755
Marble		700
Hard Stone		600
Green Glass		550
Flint . · · .	2570 Cork	
Common Stone .	2520 Air at a mean state	11
COMMISSION DIONE +	aca mean state	-3
Manu The seven	ual acuta of sucal and successful	1

Note.—The several sorts of wood are supposed to be dry. Also, as a cubic foot of water weighs just 1000 ounces, the numbers in this table express, not only the specific gravities of the several bodies, but also the weight of a cubic foot of each, in avoirdupois ounces; and therefore the weight of any other quantity, or the quantity of any other weight, may be found, as in the next two propositions.

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To find the Magnitude of any Body from its Weight.

Rule.—Place the weight of the material in ounces under its specific gravity: then opposite 1728 is its magnitude in cubic inches; and opposite 1 is the answer in cubic feet.

Example.— How many cubic inches of gunpowder are there in one pound weight, shaken close?

Place 16 (the number of ounces in a pound) opposite 937: then opposite 1728 is its content or magnitude, 29½ inches.

How many cubic inches are there in 3 pounds of cast brass?

Place 48 (the number of ounces in 3 pounds) opposite 8000: then opposite 1728 is the answer, 103.5.

To find the Weight of a Body from its Magnitude.

RULE.—Place the contents of the body opposite 1728: then opposite its specific gravity is its weight in ounces.

How many ounces avoirdupois in 864 cubic inches of sand?

Place 864 opposite 1728: then opposite 1520 (the specific gravity of sand) is 760 ounces, the answer.

Measure, &c.

5,280 feet in a mile.

63,360 inches in a mile.

190,080 barley-corns in a mile.

32,000 ounces make one ton.

43,560 square feet in an acre.

4,S40 square yards in an acre.

32 gills in one wine-gallon.

7.22 cubic inches in a gill.

7.22 choic menes in a gill.

28.875 cubic inches in a pint.

57.75 cubic inches in a quart. 2,150.4+ cubic inches in a bushel.

1.2444 cubic feet in a bushel.

3.600 seconds in an hour.

S6,400 seconds in a day of twenty-four hou!

31,557,600 seconds in a year.

1,728 cubic inches in a foot.

128 feet make one cord of wood.

9

50

Comparative Value and Weight of Different Kinds of Fire Wood, assuming as a standard the Shell Bark Hickory.

	Lbs. in a Cord.	Compar. Val.	8 cts.
Shell-Bark Hickory	4469	100	7 46
Button Wood	2391	52	3 85
Maple	266S	54	4 00
Black Birch	3115	63	4 67
White Birch	2369	48	.3 56
White Beech	3236	65	4 81
White Ash	3420	77	5 70
Common Walnut	4241	95	7 03
Pach Pine	1904	43	3 15
White Pine	1868	42	3 11
Lombardy Poplar	1774	40	2 96
Apple Tree	3115	70	5 15
White Oak	3821	S1	6 00
Black Oak	3102	66	4 89
Scrub Oak	3337	73	5 40
Spanish Oak	2449	52	3 85
Yellow Oak	2919	60	4 44
Red Oak	3254	69	5 11
White Elm	2592	58	4 29
Swamp Whortlebern		73	5 40
onamp whomesen	, , , , , , , , , , , , , , , , , , , ,		

Note.—It is estimated that a cord of wood contains, when green, 1443 pounds of water, equal to 1 hogshead and 2 barrels of water.

TABLES OF SQUARES AND CUBES;

To facilitate the Mensuration of the Surfaces and Solidities of Bodies.

Number.	Square.	· ube.	Number.	Square.	Cube.
1	1	1 1	50	2500	125000
2	4	8	51	2601	132651
2 3 4	9	27	52	2704	140608
4	16	64	53	2809	148577
5 6 7 8	25	125	54	2916	157464
6	36	216	55	3025	166375
7	49	343	56	3136	175616
8	64	512	57	3249	185193
9	81	729	58	3364	195112
10	100	1000	59	3481	205379
11	151	1331	60	3600	216000
12	144	1728	61	3721	226981
13	169	2197	62	3841	238328
14	196	2744	63	3969	250047
15	225	3375	64	4096	262144
16 17	256	4096	65	4225	274625
18	289	4913 5832	66	4356 4489	287496 300763
18	324	5832 6859	67 68	4489	314432
20	361 400	8000	69	4761	328509
20	441	9261	70	4900	343000
22	484	10648	71	5041	357911
23	529	12167	72	5184	373248
24	576	13824	73	5329	389017
25	625	15625	74	5476	405224
26	676	1/576	75	5625	421875
27	729	19683	76	5776	438976
28	784	21952	77	5929	456533
29	841	24389	78	6084	474552
30	900	27000	79	6241	493039
31	961	29791	80	6400	512000
32	1024	32768	81	6561	531441
33	1089	35937	82	6724	551368
34	1156	39304	83	6889	571787
35	1225	42875	84	7056	592704
36	1296	46656	85	7225	614125
37	1369	50653	86	7396	636056
38	1444	54972	87	7569	658503
39	1521	59319	88	7744	681472
40	1600	64000	89	7921	704969
41	1681	68921	90	8100	729000
42	1764	74088	91	8281	753571
43	1849	79507	92	8464 8649	778688 804357
44	1936 2025	85184	93	8836	830584
		91125		9025	857375
46	2116	97336	95	9025	884736
48	2209	110592	97	9409	912673
49	2401	117649	98	9604	941192
19	2401	11/049	30	2002	******

52 TABLES OF SQUARES AND CUBES.

Number-	Square.	Cube.	Number.	Square.	Cube.
	9801	97,0509	150	22500	3375000
99		1000600	151	22801	3442951
100	10000		152	23104	3511808
10L	10201	1030301	153	23409	3581577
102	10404	1061208	154	23716	3652264
163	10609	1092727		24025	3723875
104	10816	1124864	155		3796416
105	11025	1157625	156	24336	
106	11236	1191016	157	24649	3869893
107	11449	1225043	158	24964	3944312
108	11664	1259712	159	25281	4019679
109	11881	1295029	160	25600	4096000
110	12100	1331000	161	25921	4173281
111	19321	1367631	162	26244	4251528
112	12544	1404928	163	26569	4330747
113	12769	1442897	164	26896	4410944
114	12996	1481544	165	27225	4492125
115	13225	1520875	166	27556	4574296
116	13456	1560896	167	27889	4657463
117	13689	1601613	168	28224	4741632
118	13924	1643032	169	28561	4826809
119	14161	1685159	170	28900	4913000
120	14400	1728000	171	29241	5000211
121	14641	1771561	172	29584	5088448
	14884	1815843	173	29929	5177717
122	15129	1860867	174	30276	5268024
123	15376	1906624	175	30625	5359375
124		1953125	176	30976	5451776
125	15625	2000376	177	31329	5545233
126	15876		178	31684	5639752
127	16129	2048383	178	32041	5735339
128	16384	2097152	180	32400	5832000
129	16641	2146689		32761	5929741
130	16900	2197000	181	33124	6028568
131	17161	2248091	182		6128487
132	17424	2299968	183	33489	6229504
133	17689	2352637	184	33856	6331625
134	17956	2406104	185	34225	
135	18225	2460375	186	34596	6434856
136	18496	2515456	187	34969	6539203
137	18769	2571353	188	35344	6644672
138	19044	2628072	189	35721	6751269
139	19321	2685619	190	36100	6859000
140	19600	2744000	191	36481	6967871
141	19881	2803221	192	36864	7077888
142	20164	2863288	193	37249	7189057
143	20449	2924207	1 194	37636	7301384
14.1	20736	2985984	195	38025	7414875
145	21025	3048625	196	38416	7529536
146	21316	3112136	197	38809	7645373
147	21609	3176523	198	39204	7762392
147	21904	3241792	199	39601	7880599
148	21904	2207040	900	40000	8000000

Number.	Square.	Cabe.	Number.	Square.	Cube.
201	40401	8120601	251	63001	15813251
202	40804	8242408	252	63504	16003008
203	41209	8365427	253	64009	16194277
204	41616	8489fi64	254	64516	16387064
205	42025	8615125	255	65025	16581375
206	42436	8741816	256	65536	16777216
207	42849	8869743	257	66049	16974593
208	43264	8998912	258	66564	17173512
209	43681	9123329	259	67081	17373979
210	44100	9261000	260	67600	17576000
211	44521	9393931	261	68121	17779581
212	44944	9528128	262	6-644	17984728
213	45369	9663597	263	69169	18191447
214	45796	9800344	264	69696	18399744
215	46225	993-375	265	70225	18609625
216	40656	10077696	266	70756	18821096
217	47089	10218313	267	71269	19034163
218	47524	10360232	268	71824	19948832
219	47961	10503459	2 9	72361	19465109
220	48400	10648000	270	72900	19683000
551	49841	10793861	271	73441	19902511
222	49284	10941048	272 273	73984	2012 648
223	49729	110 9567		74599	20346417
224	50176	11239424	274 275	75076	20570824
225	50625	11390625	276	75025 76176	20796875 21024576
226	51076 51529	11543176 11697083	277	76729	21253933
227 228	51984	11852352	278	77284	21484952
228	52441	1200-989	279	778-11	21717639
230	52900	12167003	280	78400	21952000
231	53361	123 26391	281	78961	22188041
232	53824	12487168	982	79524	224257(28
233	54289	12619337	283	800.9	22065157
234	54756	12812404	284	80656	229 6304
235	55225	12977875	285	81225	23 49125
236	55696	13144256	2×6	81796	23393656
237	56169	13312053	287	85369	23639903
238	56644	13481272	258	82944	2 487872
239	57121	13651919	269	83591	24137569
240	57600	13824000	290	84100	24389700
241	58081	13997521	291	84681	246 12171
242	58564	14172488	292	85264	24897088
243	59049	14348907	11 993	85849	25153757
244	59536	14526784	1 294	86436	25112181
245	60025	14706125	295	87095	25672175
246	60516	14886936	296	87616	25934336
247	61009	15069223	297	88209	26195073
248	61504	15252992	298	88804 89401	26463592
249 250	62001	15438249 15625000	300	90000	27000000
250	62500	15025000	11 300	50000	27000000

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THE STEAM-ENGINE.

The power of the steam-engine is measured by that of the horse. A horse-power, as fixed by Watt, is equal to 33,000 lb. avoirdupois, raised one foot high per minute; and one day's work of a horse, is this power, acting through eight hours. The pressure of our atmosphere is reckoned as equal to that of thirty perpendicular inches of mercury; or 14:70lb. per square inch, or 11:55lb. per circular inch.

To find the Horse's power of an Engine, according to the Rule given by Mr. Watt.

From the Diameter of the cylinder in inches, subtract 1, square the remainder, multiply the square by the velocity of the piston in feet per minute, and divide the product by 5640. The quotient will be the number required.

CONDENSING ENGINES.

Proportion of the Cylinder.—The best proportion is when the length is twice the diameter; because the cooling surface is then least, in proportion to the content of steam.

Proportion of the Air-Pump and Condenser.—In double condensing engines, these are made, by Boul ton and Watt's rule, each to measure one eighth the content of the cylinder.

Velocity of the Piston to produce the best effect.-In engines working the steam expansively, 100 times the square root of the length of the stroke in feet, is the best velocity in feet per minute.

In engines not working expansively, 103 times the square root of the length of the stroke in feet, is the best velocity in feet per minute.

To find the quantity of Water required for Steam and Injection .- Multiply the area of the cylinder in feet, by half the velocity in feet for single, and by the whole velocity in feet for double engines. Add 1-10th for cooling and waste; and this, divided by 1497 (at the common pressure on the valve of 2lb. per circular ineh), wil give the quantity of water required for steam per minute.

The quantity of water for injection should be 24 times that required for steam.

The diameter of the injection-pipe should be 1-36th part of that of the cylinder.

The valves should be as large as practicable.

The boiler should be capable of evaporating about 12 gallons per hour for each horse power.

NON-CONDENSING, OR HIGH PRESSURE ENGINES.

The length of the cylinder should be at least twice its diameter.

The velocity of the piston, in feet per minute, should be 103 times the square root of the length of the stroke

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in feet; or 100 times, if the steam is worked expan-

The area of the cylinder should be, to the area of the steam-passages, as 4800 is to the velocity of the piston, found as above.

Form and Direction of Steam-pipes.—Enlargements in steam-pipes succeeded by contractions, always retard the velocity of the steam-more or less according to the nature of the contraction—and the like effect is produced by bends and angles in the pipes. These should therefore be made as straight, and their internal surface as uniform and frec from inequalities as may be practicable. The following proportions of velocity. from Mr. Tredgold, will exemplify this :-

The velocity of motion that would result

from the direct unretarded action of

the column of fluid which produces it,

- - - 1000 or 8 being unity The velocity through an aperture in a

thin plate by the same pressure is .625 or 5

Through a tube from two to three diame-

ters in length, projecting outwards .813 or 6.5 Through a tube of the same length, pro-

jecting inwards681 or 5.45

Through a conical tube, or mouth-piece, of the form of the contracted vein .983 or 7.9

MARINE ENGINES.

The construction and arrangement of the Marine Steam Engine necessarily differ from that of the ordinary condensing Engine, on account of the peculiar form of the floating structure in which it is placed, and of the absence of that solid support which can be obtained for Engines on land. The importance of ef fecting economy of room and weight on board a steamvessel, has led to the adoption of various methods of communicating motion to the paddle wheels; and vertical, oscillating, and other varieties of Engine have been introduced, with more or less success; but the more general form is that of the beam or lever Engine, the position of the beam being reversed on being placed on each side of the bottom of the cylinder. The arrangement of the condenser, air-pump, &c., is also necessarily accommodated to the space in which the machinery is required to be fixed.

The following Dimensions are given by Mr. Russell, for the Cylinders of Marine Engines of various

For 10 horse power, 20 inches diameter, 2 ft. 0 in. stroke.

9	20	 27	 2 ft. 6 in.	
8	30	 32	 3 ft. 2 in.	
4	10	 35	 3 ft. 6 in.	
5	50	 40	 4 ft. 0 in.	

58 For 60 horse power, 43 inches diameter, 4 ft. 3 m. stroke.

4 ft. 6 in. ..

8 ft. 6 in. ...

9 ft. 2 in. ..

10 ft. 0 in. ..

46

87

92

100

..350

..400

..500

49 4 ft. 9 in. 80 .. 90 5 ft. 0 in.100 5ft.6in. .. 6 ft. 0 in. .. 62 6 ft. 3 in. .. 66 6 ft. 6 in.175 ..200 70 7 ft. 0 in. ... 76 7 ft. 6 in. .. 8 ft. 0 in.300 82

Economy of Steam-jackets.

The following Table presents the results of three experiments made in France to ascertain the economy of steam-jackets to the cylinders of Engines, in the consumption of fuel. In the 1st, the steam first entered the jacket round the cylinder, and passed from thence into the cylinder. In the 2nd, the steam entered the cylinder directly, without passing into the jacket. In the 3rd, the steam entered both the cylinder and jacket directly, by means of separate communications between them and the boiler. The result shows an increase in the consumption of fuel of nearly fivesevenths, in the second experiment, over that in the first.

Experiments	Duration of Exper iments-	ti n in pou ds	sure in At-	Consumption per hour, in pounds. Coals. Water evaporated by 1 lb of Coal.
23	3h 30m	19. 2.12 11111.59	$ \begin{vmatrix} 3.82 & 2.57 & .26 \\ 3.5 & 2.55 & .28 \\ 3.5 & 2.73 & .24 \end{vmatrix} $	58.16 331.75.61

Friction of Steam-engines.

The difference in loss of power by friction, between beam and direct action engines is found by experiment to be so trifling, as to be unnecessary to be taken into account in estimating their relative advantages. The amount of pressure upon the piston, expended in each kind of engine in overcoming friction appears, on an average, to be not more than about 1 lb. to the square inch, in well-constructed engines.

Steam-engines for Cotton and Paper Mills.

For Cotton Mills .- The best steam-engines for cotton-mills are the double-acting, working the steam expansively. The most advantageous mean pressure on the piston with low pressure steam is 5lb per circutar inch, and each circular inch will suffice to drive three spindles of cotton yarn twist with the machinery.

For mule yarn, add 15 to the number of the varn, and multiply the sum by .26; the product will be the number of spindles for each circular inch of piston.

Or, one horse-power will drive 100 spindles with cotton yarn, and machinery. And for mule yarn, add

60

15 to the number of the yarn, and multiply by 8; the product will be the number of spindles for each horsepower. One horse-power will work 12 power-looms, with the preparatory machinery.—Brunton.

For Paper Mills.—A beating machine requires about 7 horse-power. The new paper machines require from 2 to 2 1-2 horse-power; 3 1-2 horse-power will prepare 1 ton old rope per week, working ten hours per lay.—Fenwick.

Steam-power required to drive various kinds of Ma. chinery.

A series of experiments instituted by Mr. Davison, at Messrs. Truman and Co.'s Brewery, to ascertain the power required to drive various kinds of machinery, gave the following results:

1st. That an engine which indicated 50 horses power wnen fully loaded, showed, after the load and the whole of the machinery were thrown off, 5 horses, or onetenth of the whole power.

2nd. 190 feet of horizontal, and 180 feet of upright shafting, with 34 bearings, whose superficial area was 3300 square inches, together with 11 pair of spur and bevel wheels, varying from 2 feet to 9 feet in diameter, required a power equal to 7.65 horses.

3rd. A set of three-throw pumps, 6 inches in diameter, pumping 120 barrels per hour, to a height of 165 feet,=4.7 horses.

By the usual mode of calculation (viz., 33,000 lbs. hited one foot high per minute), it would appear that there was, in this case. friction to the extent of 13 per cent.

4th. A similar set of three-throw pumps, 6 inches in diameter, pumping 160 barrels per hour, to a height of 140 feet,=6.2 horses.

By the same mode of calculation as before, there was here friction to the amount of 15 per cent.

5th. A set of three-throw pumps, 5 inches in diameter, raising 80 barrels per hour, to a height of 54 feet,=1 horse.

By calculation as before, the friction amounted to 12 1-2 per cent.

6th. A set of three-throw "starting" pumps, pumping 250 barrels of beer per hour, to a height of 48 feet, =4.87 horses.

By calculation as before, the friction amounted to 15 1.2 per cent.

7th. Two pair of iron rollers and an elevator, grinding and raising 40 quarters of malt per hour=8.5 horses

9th. An ale-mashing machine, made by Haigh, of Dublin; mashing at the time, 100 quarters of malt,= 5.69 horses.

9th. Two porter-mashing machines, made by Moreland, mashing at the time, 250 quarters of malt,=10.8 horses.

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10th. 95 feet of horizontal Archimedes screw, 15 inches diameter, and an elevator, conveying 40 quarters of malt per hour, to a height of 65 feet,—3.13 horses.

Mr. Tredgold's Estimate of the Distribution and Expenditure of the Steam in an Engine.

IN A NON-CONDENSING ENGINE.

Let the pressure on the boiler be Force required to produce motion of the steam in the cylinder will be 0.069 Loss by cooling in the cylinder and pipes - - - -0.160 Loss by friction of piston and waste 2.000 Force required to expel the steam into the atmosphere - . 0.069 Force expended in opening the valvs, and friction of the various parts 0.622 Loss by the steam being cut off before the end of the stroke Amount of deductions 3.920 6.080 Effective pressure -

IN A CONDENSING ENGINE.

Let the pressure on the boiler be

10.000

Force required to produce motion of the steam in the cylinder - 0.070

Loss by cooling in the cylinder and pipes - - - -0.160 Loss by friction of the piston and waste - - - -1.250 Force required to expel the steam through the passages 0.070 Force required to open and close the valves, raise the injection water, and overcome the friction of the axes - - -Loss by the steam being cut off before the end of the stroke Power required to work the air-pump 0.500 Amount of deductions 3.680 Effective pressure -6.320

Pressure and Density of Steam.

The following formula has been given by Mr. Wm. Pole for calculating the pressure and density of steam for engines working expansively, which is stated to produce a very near approximation to the truth; the mean error being only .0062 lb. per square inch:

Lct P be the total pressure of the steam in lbs. per square inch, and V its relative volume, compared with that of its constituent water.

Then
$$P = \frac{24250}{V-65}$$
, or $V = \frac{24250}{P}$ flus 65.

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This formula is applicable, with little risk of error, to engines working with from 5 lbs. to 65 lbs. per square inch. TABLE

Of the Pressure on a square and circular Inch, respectively, excited by the elastic force of Steam at various degrees of Temperature, with the Height of the col-

umn of Mercury it will support.

I. PRESSURE ON A SQUARE INCH.				2. PRE	ESSURE C	N A CIRCUL	AR INCH
C Tem'ture,	10 23		Inchesof	Tem'ture, Fahren-	Pressure on square		Inches of Mercury support- ed
				0)	(1
220	23	1.963	5.15	222	21	3.183	6.56
222	3	2.356	6.18	224	3	3.819	7.87
223	31/2	2.749	7.21	226	31	4.456	9 15
225	4	3.141	8.24	228	4	5.093	€.5
227	41/2	3.534	9.27	230	41	5.729	112
228	5	3.927	10.3	232	5	6.366	13.1
230	5 1	4.320	11.3	234	53	7.002	14.4
231	6	4.712	12.3	236	6	7.639	15.7
233	61	5.105	13.4	236	61	8.276	17.0
234	7	5.498	14.4	238	7	8.912	18.3
235	74	5.890	15.4	239	71	9.549	19.7
236	8	6.283	16.5	241	8	10.18	21.0
237	81	6.676	17.5	242	84	10.82	22.3
239	9	7.068	18.5	244	9~	11.45	23.6
240	$9\frac{1}{2}$	7.461	19.6	245	91	12.09	24.9
241	10	7.854	20.6	247	10	12.73	26.2
242	10½	8.247	21.6	248	104	13.36	27.5
243	11.	8.639	22.6	250	11	14.00	28.9
244	112	9.032	23.7	251	114	14.64	30.1
245	12	9.424	24.7	252	12	15.27	31.5
252	15	11.78	30.9	259	15	19.09	39.3
261	20	15.71	41.2	270	20	25.46	52,5
269	35	19.63	51.5	278	25	31.83	65.6
276	30	23.56	61.8	287	30	38.19	78.7
283	35	27.49	72.1	294	35	44.56	91.8
289	40	31.41	82.4	300	40	50.92	105
294	45	35.34	92.7	305	45	57.20	118
300	50	39.27	103	309	50	63 66	131

To prevent Incrustation in boilers.—The introduction of potatoes and other vegetable substances will, in a great degree, prevent incrustation on the bottom and sides of a steam boiler, and animal substances, such as refuse skins, will accomplish it still more effectually.

Iron Cement for joining the Flanches of Iron Pipes, &c.—Take of Sal Ammoniac, 2 ounces; Flowers of Sulphur, 1 ounce; clean cast-iron Borings or Filings, 16 ounces: mix them well in a mortar, and keep them dry. When required for use, take one part of this powder, and twenty parts of clean iron borings or filings, mix them thoroughly in a mortar, make the mixture into a stiff paste with a little water, and apply it between the joints, and screw them together. A little fine grindstone sand added, improves the cement. A mixture of white paint with red lead, spread on canvas or woollen, and placed between the joints, is best adapted for joints that require to be often separated.

For Copper, a cement is used, composed of powdered quick lime, mixed to a proper consistence with serum of blood, or white of egg—and used immediately it is made.

THE MECHANICAL POWERS.

Power is compounded of the weight and expansive force of a moving body multiplied into its velocity.

The power of a body which weighs 40 lbs., and

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moves with the velocity of 50 feet in a second, is the same as that of another body which weighs 80 lbs., and moves with the velocity of 25 feet in a second; for the products of the respective weights and velocities are the same.

40 multiplied by 50-200; and 80 by 25-2000

Power cannot be increased by mechanical means.

Power is applied to mechanical purposes by the lever, wheel and axle, pulley, inclined plane, wedge, and the serew, which are the simple elements of all machines.

The whole theory of these elements consists simply, in causing the weight which is to be raised, to pass through a greater or a less space than the power which raises it; for, as power is compounded of the weight or mass of a moving body multiplied into its velocity, a weight passing through a certain space may be made to raise, through a less space, a weight heavier than itself.

Power is gained at the expense of space, by the lever, the wheel and axle, the pulley, the inclined plane, the wedge, and the sercw.

LEVER.

Case 1.—When the fulcrum of the lever is between the power and the weight.

Rule.—Divide the weight to be raised by the power to be applied; the quotient will give the difference

of leverage necessary to support the weight in equilibrio. Hence, a small addition either of leverage or weight will cause the power to preponderate.

EXAMPLE 1.—A ball weighing 3 tons, is to be raised by 4 men, who can exert a force of 12 cwt., required the proportionate length of lever?

3 tons = 60 cwt.; and
$$\frac{60}{12}$$
 = 5.

In this example, the proportionate lengths of the lever to maintain the weight in equilibrio, are as 5 to 1. If, therefore, an additional pound be added to the power, the power side of the lever will preponderate, and the weight will be raised. But, although the ball is raised by a force of only one-fifth of its weight, no power is gained, for the weight passes through only one-fifth of the space. The products, therefore, arising from the multiplication of the respective weights and velocities are the same.

Example 2.—A weight of 1 ton is to be raised with a lever 8 feet in length, by a man who can exert, for a short time, a force of rather more than 4 cwt.: required at what part of the lever the fulcrum must be placed?

20 cwt.
= 5; that is, the weight is to the power as 5 cwt.

[to 1: therefore,

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EXAMPLE 3.—A weight of 40 pounds is placed one foot from the fulerum of a lever; required the power to raise the same when the length of the lever on the other side of the fulcrum is five feet?

$$\frac{40 \text{ multiplied by 1}}{5} = 8 \text{ lbs., Ans.}$$

Case 2.—When the fulcrum is at one extremity of the lever, and the power at the other.

RULE.—As the distance between the power and the fulcrum is to the distance between the weight and the fulcrum, so is the effect to the power.

EXAMPLE 1.—Required the power necessary to raise 120 lbs., when the weight is placed six feet from the power, and two feet from the fulcrum?

EXAMPLE 2.—A beam, 20 feet in length, and supported at both ends, bears a weight of two tons at the distance of eight feet from one end: required the weight on each support?

40 cwt. multiplied by 8 ft. = 16 cwt. on the suppor

= 16 cwt. on the suppo

furthest from the weight; and $\frac{40 \text{ multiplied by } 12}{20 \text{ feet}} := 24$ cwt. on the support nearest to the weight.

WHEEL AND AXLE.

Rule.—As the radius of the wheel is to the radius of the axle, so is the effect to the power.

EXAMPLE.—A weight of 50 lbs. is exerted on the periphery of a wheel whose radius is 10 feet; required the weight raised at the extremity of a cord wound round the axle, the radius being 20 inches.

50 lbs. multiplied by 10 ft.; by 12 inches.

20 inches.

== 300 lbs. [Ans.

PULLEY.

Rule.—Divide the weight to be raised by twice the number of pulleys in the lower block; the quotient will give the power necessary to raise the weight.

EXAMPLE.—What power is required to raise 600lbs., when the lower block contains six pulleys?

 $\frac{600}{6 \text{ multiplied by 2}} = 50 \text{ lbs., Ans.}$

INCLINED PLANE.

Rule.—As the length of the plane is to its height, so is the weight to the power.

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Example.—Required the power necessary to raise 540 lbs. up an inclined plane, five feet long and two feet high.

As 5:2::540:216 lbs., Ans.

WEDGE.

Case 1.—When two bodies are forced from one another by means of a wedge, in a direction parallel to its back.

RULE.—As the length of the wedge is to half its back or head, so is the resistance to the power.

Example.—The breadth of the back or head of the wedge being three inches, and the length of either of its inclined sides 10 inches, required the power necessary to separate two substances with a force of 150 lbs.

As 10: 11-2:: 150: 221-2 lbs., Ans.

Case 2.—When only one of the bodies is moveable.

Rule.—As the length of the wedge is to its back or head, so is the resistance to the power.

Example.—The breadth, length, and force, the same as in the last example.

As 10:3::150:45 lbs., Ans.

SCREW.

The screw is an inclined plane, and we may suppose it to be generated by wrapping a triangle, or an inclined plane, round the circumference of a cylinder.

The base of the triangle is the circumference of the cylinder; its height, the distance between two consecutive cords or threads; and the hypothenuse forms the spiral cord or inclined plane.

RULE.—To the square of the circumference of the screw, add the square of the distance between two threads; and extract the square root of the sum. This will give the length of the inclined plane; its height is the distance between two consecutive cords or threads.

When a winch or lever is applied to turn the screw, the power of the screw is as the circle described by the handle of the winch, or lever, to the interval or distance between the spirals.

Velocity is gained at the expense of power by the lever, and the wheel and axle.

LEVER.

Case.—When the weight to be raised is at one end of the lever, the fulcrum at the other, and the power is applied between them.

RULE.—As the distance between the power and the fulcrum is to the length of the lever, so is the weight to the power.

EXAMPLE.—The length of the lever being eight feet, and the weight at its extremity 60 lbs., required the power to be applied six feet from the fulcrum to raise it?

As 6:8::60:80 lbs., Ans.

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N.B. Any other example may be computed by reversing any of the foregoing operations.



DIRECTIONS FOR USING THIS SCALE.

The Numbers on this Scale are arranged according to their Logarithmic Value; and occupy the same relation to each other in space that they do in value.

To find the amount of a per centage on any given sum.

N. B. By placing tha figures opposite each other, it will be glound to contain two sets of numbers running from 1 to 1000, then opposite the sum found on the fived circle is the answer, emaking 3 revolutions around the scale. The targe size figures are reposited to the state of the state

Nors II. If in multiplying large numbers you consist that large what is that say or until figure in tha answer, look opposite that large signs on the fixed circle which is the same as the unit or last figure on the fixed circle which is the same as the unit or last figure on the move and the same as the unit or last figure on the move and the same as the unit or last figure on the move and the same as the unit or last figure on the move and the same as the unit or last figure on the fixed circle is the answer.

Does circle standing against it, will be the answer.

Example—What is the product of 234 multiplied by 81 Place
Sound on the movable circle opposite figure 1. Then opposite
Sound on the movable circle opposite figure 1. Then opposite
234, on the face circle, is 157-something. Now to determine the
puted, on the outside, is the answer. Required the discount on
234 to the face circle, is 157-something. Now to determine the
puted, on the outside, is the answer. Required the discount on
235 to 15 per cent. Place 95 opposite 1, and opposite 151 is 192.5 per cent.

Place 150 opposite 1, and opposite 151 is 192.5 per cent. advance on \$2001 Flace 190 opposite
236 are on the movable circle against it, is the answer, viz. 2: mak
1, and opposite 200 is 210. This rule will be found to apply equalting the answer 1572.

Find tha Divisor on tha Movable Circle; place it opposite 1 on Examplene fixed circle; then opposite tha dividend found on the movable
ircle is the answer on the fixed, in whole numbers and tenths of

To Multiply by one number and Divide by another by one simple

Rule-Place the multiplier found on the movable circle opposite the divisor found on the fixed circle, then opposite the multiplicane found on the fixed circle, in the answer on the movable circle.

RULE—Place the numerator found on the movable circle apposite tha denominator found on the fixed circle; then all the numbera standing directly opposite sech other, are other terms of said fraction, and the lowest of said numbera are its lowest terms. To Multiply a Whole Number by a Fraction, or a Fraction by Whole Number.

RULE—Place the numerator found on the movable circle op the denominator found on the fixed circle; then opposite the number on the fixed circle is the answer. To Reduce Vulgar Fractions to Decimal Fractions.

RULE-Place the numerator found on the movable circle opposite the denominator found on the fixed circle; then opposite 1 found on the fixed circle; then opposite 1 found on the fixed circle, ia the answer, or decimal fraction.

To Reduce Decimal Fractions to Vulgar Fractions. RULE—Place the decimal found on the movable circle opposite 1: chen any two figures standing directly opposite each other is the ans.

If 67 cents will hay a bushel of corn and 73 cents will hay a bashel of rye, how many bushels of α , frp 49 bushels of rye?—Place 67 opposite 73, and opposite 49 is 53.5 the answer.

To find the amount of a per centage on any given sum

well to all kinds of articles, as well as money.

Equation of Payments by Cauting Interest on each Sum.

Ixample—\$155 Jan. 1 to June 15—165 days—\$4.26 Interest.

\$145 May 1 to June 15—105 days—\$4.26 Interest.

\$145 May 1 to June 15—05 days—\$1.09—\$5.00 June 15. Total \$518. Interest \$8.24

Set \$318 opposite 6 per cent and opposite \$34 on the outside the number of days equal to the interest, 96-12 days.

If the credit is 4 months, 23 1-2 days will make it equal.

whole Rule for reducing the different Currencies to Dollars, Cents, and Mills. Place any sum of foreign currency opposite any equal sum ni Prince any sum of foreign currency opposite any equal sum ni Prederal money. If \$4.44 be £1, how much for £10 los.? Place at 1, then at 444 is the number nf feet, 158.00—divide this by 4.44 opposite 1, and opposite 10.5 is 46.70. If 5 frances be 44 cts. 43,560, and tha area is 3.63.100 opposite the number of feet. I how much is 68 frances? Place 5 opposite 94, opposite 68 is 12.80.

Place the actual weight found on the mayable circle opposite the reight required by statute. Then opposite the number of running

To get the Tonnage of a Ship.

The large 1 is to be kept at the right band, unless of most 12 to 31 per cent and are instructional are marked as it keeps the figures in the best position for per cent.—Months, Fer Ct. To accommodate banks and others, it reckned 360 days per year. Any sum of mondate banks and others, it reckned 360 days per year. Any sum of mondate banks and others, it reckned 360 days per year. Any sum of mondate banks and others, it reckned 360 days per year. Any sum of mondate banks and others, it reckned 360 days per year. Any sum of mondate banks and others, it reckned 360 days per year. Any sum of mondate banks and others, it reckned 360 days per year. Any sum of mondate banks and others, it reckned 360 days per year. Any sum of mondate banks and others, it reckned 360 days per year. Any sum of mondate banks and others, it reckned 360 days per year. Any sum of mondate banks and others, it reckned 360 days per year. Any sum of mondate banks and others, it reckned 360 days per year. Any sum of mondate banks and others, it reckned 360 days per year. Any sum of mondate banks and others, it reckned 360 days per year. Any sum of mondate banks and others, it reckned 360 days per year. Any sum of mondate banks and others, it reckned 360 days per year. Any sum of mondate banks and others, it reckned 360 days per year. Any sum of mondate banks and others, it reckned 360 days per year. Any sum of mondate banks and others, it reckned 360 days per year. Any sum of most banks and others, it reckned 360 days per year. Any sum of most banks and others, it reckned 360 days per year. Any sum of sum of time the constitution of the set of some sum of the set of set of some sum of the set of set of

Superficies.

Required the number of feet of boards to cover a house 27 feet, and the number of feet of boards to cover a house 27 feet, and 40 by 54 feet square. Place 27 opposite 1, and opposite 1 and square 188 (the feat runn the same ji 5500 ft. Ans. If the rafters are 24 ft. or 3-5ths the width if the house, then place 54 opposite 1 and 188 (1890 ft. or 1890 ft

To measure the outside of a house in feet or yards.

Equation of Payments.

| Exercises in Fractions an easy way to get a knowledge of the Scales | Exercises in Fractions an easy way to get a knowledge of the Scales | Exercises in Fractions and on the state | Exercises | Exe To Measure Plant.

A plant 13 1-2 wide, 31-2 thick, and 15 1-2 long; what is the contenus 1 Place 3 opposite 1, and opposite 13 - 25 opposite 20 is 47.2 opposite 15 1-25 of 10. bears measure 15 - 25 of 10. bears measure.

These days added together give the time.

Required the premium on \$7,000 at 3-8 per cent. Place 3 opposite 1, the opposite 1, the opposite 13 - 25 of 10. bears measure.

The Price, at \$27 per 1000—Set 27 opposite 1, then opposite 61 of 12 opposite, inside.

The Price at \$25 per 100 gross weight, how much for 2000bas, and that price at \$5.25 is 11 opposite 20 is 469. Observa the lba, of coal gross weight are on the outside, and that price at \$5.25 is 15 opposite 20 is 469. Observa the lba, of coal gross weight are on the outside, and that price 3 is 47.2 opposite 15 1-25 of 10. bears measure.

The Price at \$27 per 1000—Set 27 opposite 1, then opposite 61 is 10 opposite 20 is 469. Observa the lba, of coal gross weight are on the outside, and that price 3 is 47.2 opposite 15 1-25 of 10. bears measure.

The Price, at \$27 per 1000—Set 27 opposite 1, then opposite 61 is 10 opposite 3. 10

17 yards of calico at 39 cents—place 17 at 1, and at 38 is 6.46. d example—4 1.2 broadcloth at \$4.75=21.37 1.2.

Rule—Multiply the length of the ship deducting 2-5 tha breadth of the baam, by the breadth of the beam; act the product opporevolutions, and divide the product by disneter of the drum by its number of at 85, then opposite the depth in the hold is the answer.

A slip is 120 feet long, 25 feet beam, one balf of which, 12 1-2, king 100 revolutions a per number—the control of the back, non-back and the depth in the hold is 12. The drum 8 number of the depth in the hold. Set 25 apposite 1, and opposite 10. The drum shade? Set 3 opposite 25, and opposite 12. The trum 8 number of the depth in the hold. Set 25 apposite 1, and opposite 10. The depth of the depth in the hold. Set 25 apposite 1. The drum shade? Set 3 opposite 1 is 160, the large of the depth o

As the opposite so, and opposite 12 12 is the answer.

If a 12 inch drum makes 100 revolutions, how large is the drum, make 200 set 12 opposite 200, then opposite 1 is 6, the answer.

If a 12 inch drum makes 100 revolutions, how large is the drum, make 200 set 12 opposite 200, then opposite 1 is 6, the answer.

If a 12 inch drum makes 100 revolutions, how large shall it be formed and the source of the sou

Geering of Wheels.

Geering of Wheels.

Geering of Wheels.

Geering of Wheels.

Multiply the number of tends in the driver by its number of revenue age has been of 17 months, how much would that be per month lolutions, and divide the product by the number of tent in the driver.

Place 157 opposite 17, and opposite 1 is the answer, \$9.25.

Price of Freight.

Required the price of 1680lbs. freight at \$1.75 per ton.

Required the price of 1680lbs. freight at \$1.75 per ton.

Place 80 opposite 40, and opposite 30 is 60, the answer.

Gering of Wheels.

Geering of Wheels.

Geering of Wheels.

Multiply the number of tends in the driver by its number of revolutions of the driven.

Example—the driver has 90 tent, making 30 revolutions; the driven has 40 tent; how many revolutions will it make? Set 1.75 opposite 30, and then opposite 40, and opposite 40, and opposite 30 is 60, the answer.

RULE—Place 84 opposite 1 and opposite 740 in the answer, 88. (wheel with 18 teeth runs upon this, and thia goea into 84=4.66.) This may be carried to any extent.

Multiply the feet into cubic measure, and divida hy the cubi feet in one ton. Required the tons of coal in a parcel 7 feet dee and 24 feet square. 24 by 24 is 576, this by 7 is 4032. If 36 feet weigh 2000, 36 into 4032. Set 36 opposita 1, and opposita 4032 i

Another Rule to measure any load or range af Wood.

Absolute Full to measure any load or range of Wood.

Rolling Full to measure any load or range of Wood.

Rolling Flace the 1 on the movable circle opposite 68 is 12.80.

Rolling Flace the 1 on the movable circle opposite to the length of the sides and ends in the wide, and 61 inches wide, and 61 inches Wedge and 61 inches Required the contents of a load of wood 3.1.2 feet wide, 7.1.2 feet on the fixed currency to be reduced, then opposite the given number of shillings and 62 inches wide, and 64 inches wide, and 64 inches Wedge and 64 inches Required the contents of a load of wood 3.1.2 feet wide, 7.1.2 feet on the fixed circle, in the always.

The sides and ends in the wide, and 64 inches wide, and 64 inches Wedge wide, 7.1.2 feet ong. Place 3.5 opposite to 1, and in posita to 4 inches wide, and 67 inches wide, and 67 inches Wedge wide, 7.1.2 feet ong. Place 3.5 opposite to 1, and in posita to 4 inches wide, and 67 inches wide wide, 7.1.2 feet ong. Place 3.5 opposite to 1, and in posita to 4 inches wide, 1.2 feet ong. Place 3.5 opposite to 1, and opposite to 1,

The Ware.

The Ware.

Measure of Bozes.

Number of The ward in a yard of Cloth.

Number of The ward in a yard of Cloth.

Place the product of the width by the thickness opposite 1728, and the product of the width by the thickness opposite 1728, and the product of the width by the thickness opposite 1728, and the product of the width by the thickness opposite 1728, and opposite 12 is a 54, 50 opposite 8, Required the price of 12 at 34, 50 per cord. Place and opposite 12 is a 12 opposite 12 in a 12 opposite Site top add 8 bottom bring 44 1-2 at 1 reduce the corners by fook. Example, 16 by 19 and 32—place 16 at 1, opposite 19 in 204—place 15 at 1, opposite 19 in 204—place 16 at 1, opposite 19 in 204—place 18 at 1, opposite 128, and the answer 18 at 76 eet. Required the Cubic Inches in a Collon and 4400 in the Answer 2 Galbon 12 104. So there is a Callon and 4400 in the Answer 2 Galbon 12 104. The many Brick are required to lay a Well.

If a pennyweight of gold in worth \$10.5, how much for 14 pennyweight Place 180 opposite 1, and opposite 14 in the square of 12 euts opposite 1 in the mony Brick are required to lay a Well.

If a pennyweight of gold in worth \$10.5, how much for 14 pennyweight Place 180 opposite 1, and opposite 1 in 4.7, the analyse proposite 1, and opposite 1 in 4.7, the analyse proposite 1 in 4.7, th

any 24 feet square and 7 feet deap. 24 by 24 is 5760—thia is 403.00—divide by 27 and the square is 149, the answer

